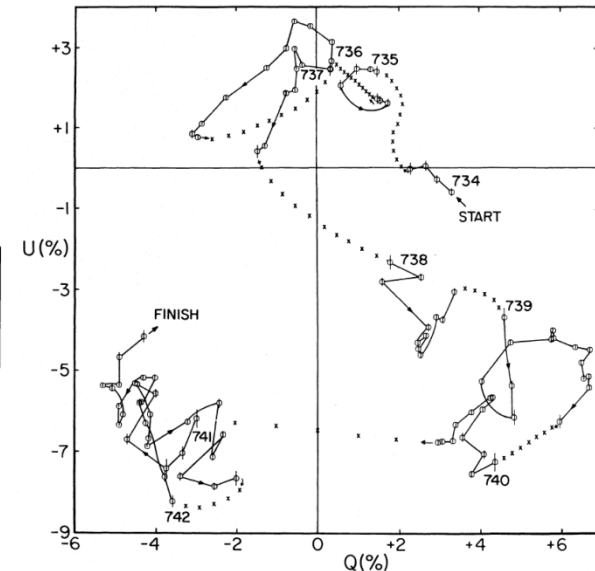
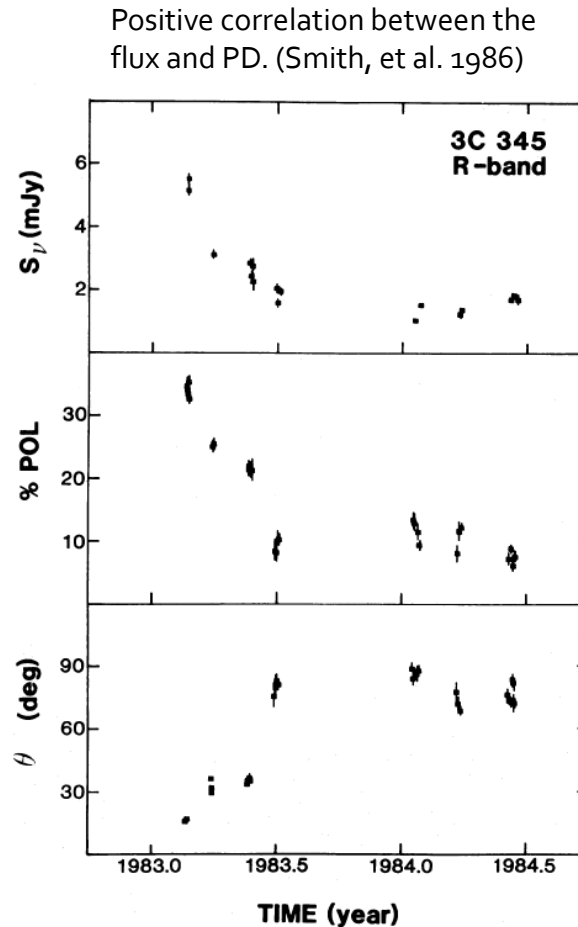


Makoto Uemura (Hiroshima University, Japan), and the “Kanata” team

Bayesian approach to find a long-term trend in erratic polarization variations observed in blazars

Polarization variations in blazars

- Erratic variations
 - Random motion in the QU plane?
 - Blinks of a number of polarization components?
- Systematic variations
 - Increase of the polarization degree (PD) with flares
 - Rotation of the polarization angle (PA)
 - A probe of the magnetic field in jets
- Are there universal characteristics in blazar polarization?
 - The main theme of this talk
 - We want to find a kind of "rules" in apparently erratic variations.



Apparently random motion in the QU plane (Moore, et al. 1982)

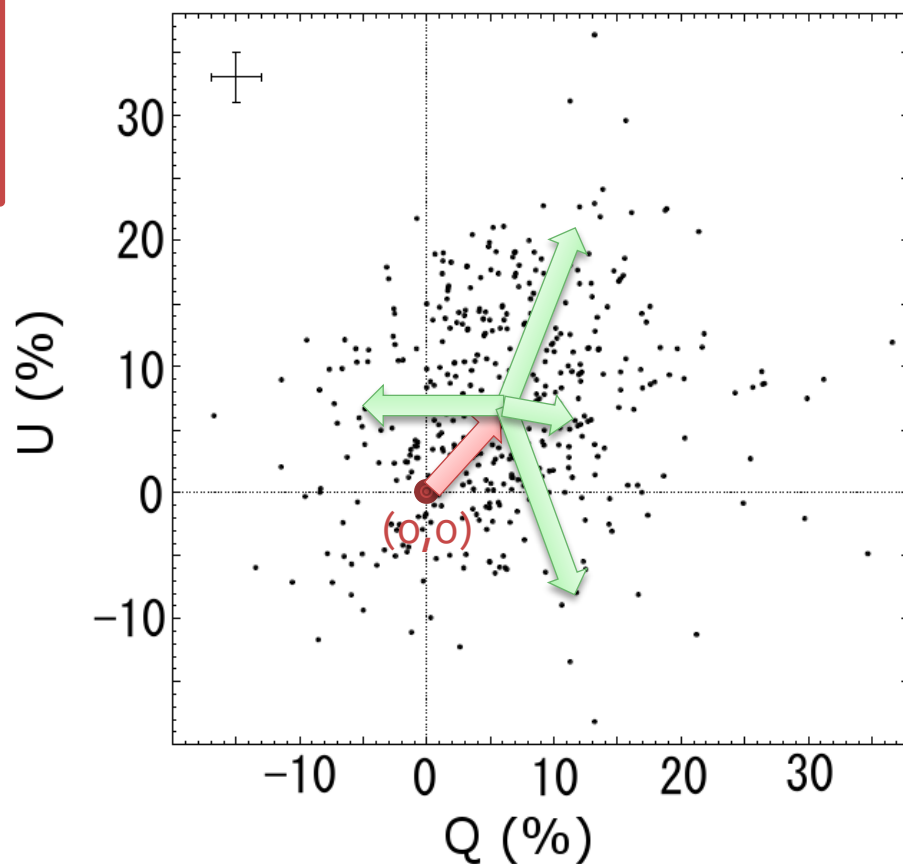
Multiple polarization components?

Stokes parameters for
linear polarization

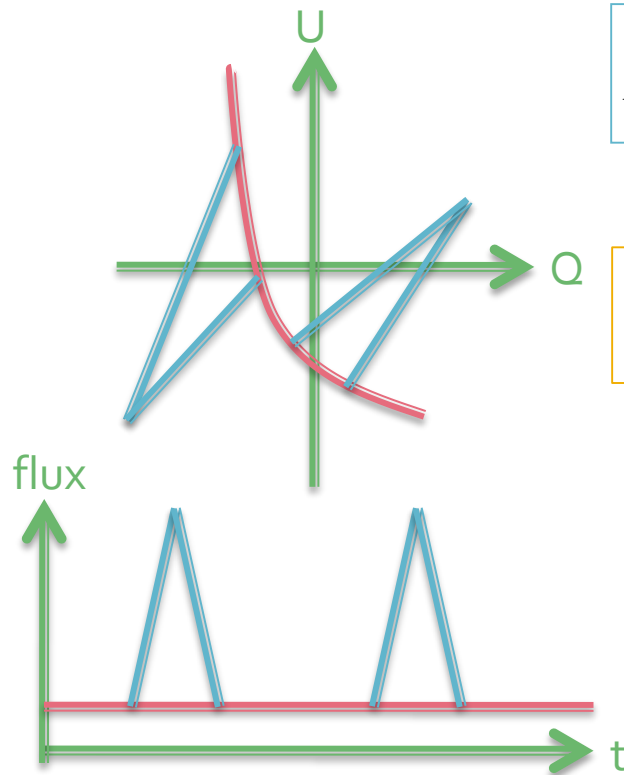
$$P = \frac{\sqrt{Q^2 + U^2}}{I}$$
$$\theta = \frac{1}{2} \arctan \frac{U}{Q}$$

- Systematic variation could be hidden by the presence of another polarization component.
 - Preferential direction of polarization for years
- Our model assumptions:
 - A flare is always associated with the flare of the polarized flux.
 - There is a long-term variation trend in polarization.

Stokes' QU parameters of BL Lac for ~20 yr
(Hagen-Thorn, et al. 2002)



Bayesian method to estimate a long-term trend in polarization



$$p(Q_0, U_0 | f, Q_{\text{obs}}, U_{\text{obs}}) = \frac{L(f, Q_{\text{obs}}, U_{\text{obs}} | Q_0, U_0) \times \pi(Q_0, U_0)}{C}$$

Posterior distribution of the long-term trend

Likelihood function, maximized when the total flux and polarized flux completely correlate.

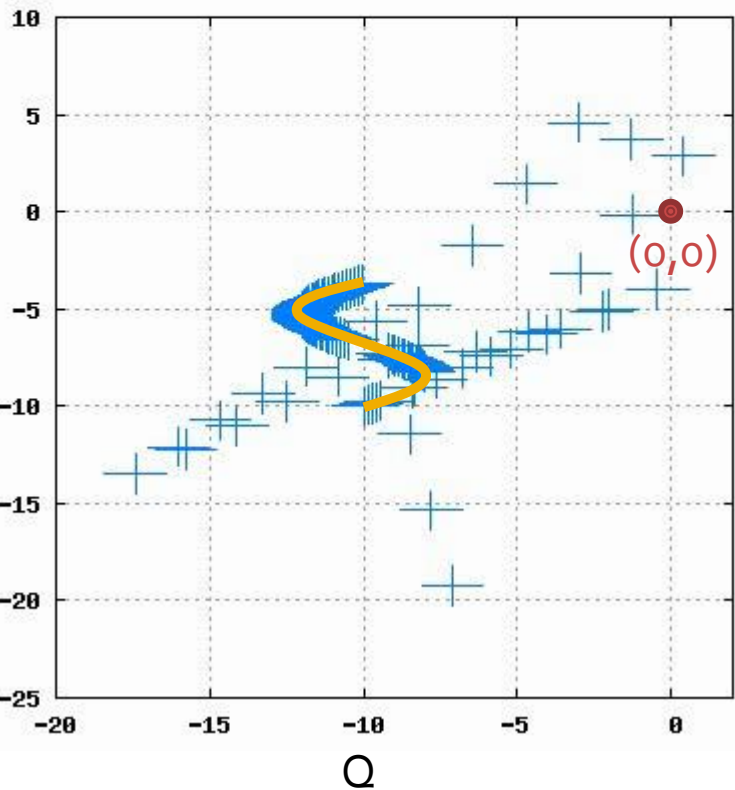
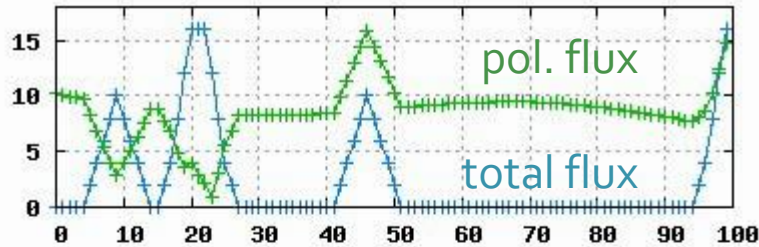
Prior distribution of the long-term trend (smoother curve is preferred).

$$\pi(Q_0) = \prod \frac{1}{\sqrt{2\pi w^2}} \exp\left\{-\frac{(Q_{0,i} - Q_{0,i-1})^2}{2w^2}\right\}$$

- The estimation of the parameters is done with the Markov Chain Monte Carlo (MCMC) method.

Demonstration with artificial data

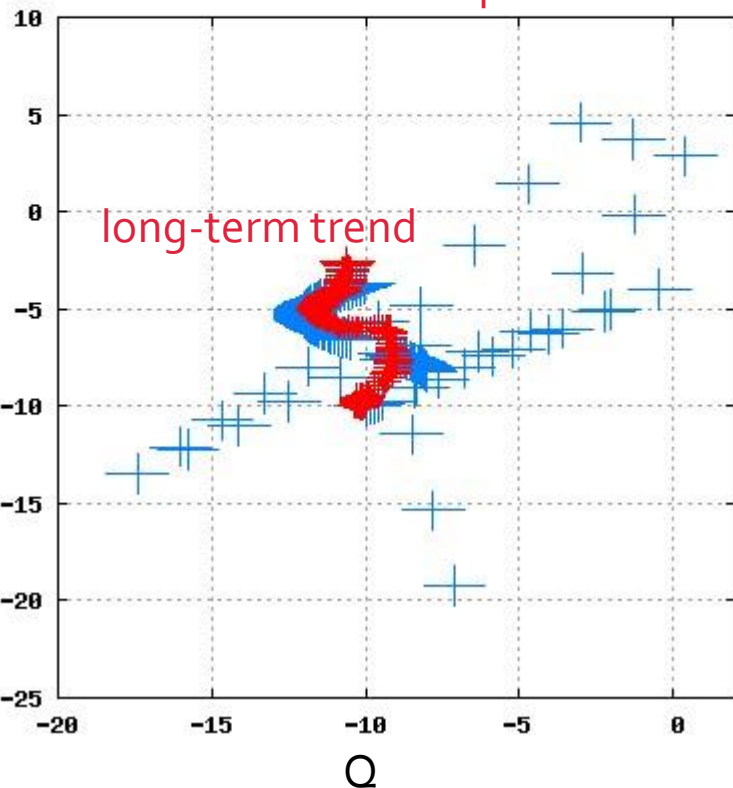
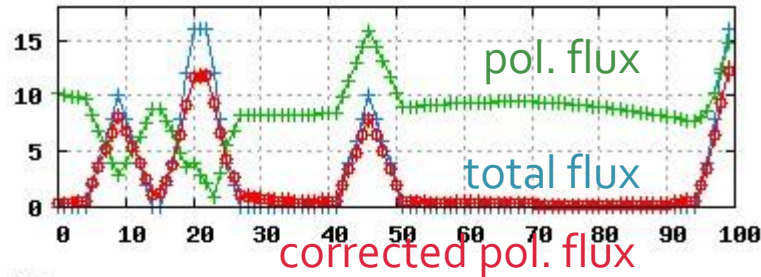
Test 1: Case for low frequency flares



- The long-term trend is reproduced as assumed

Demonstration with artificial data

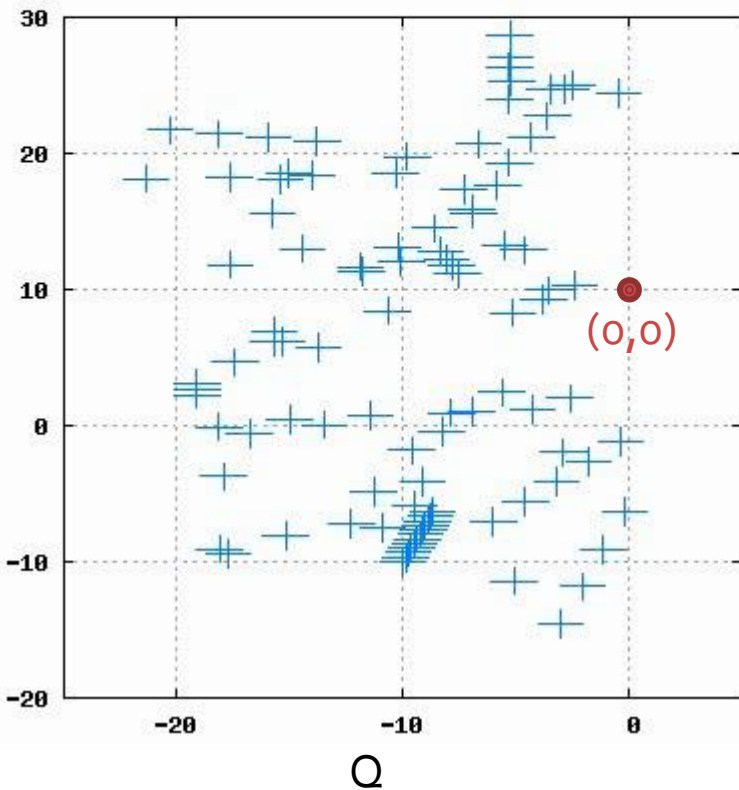
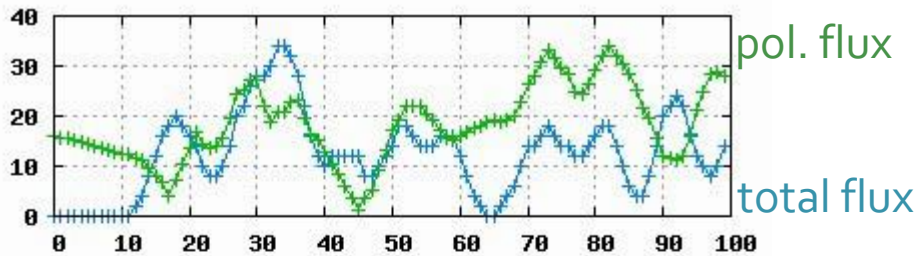
Test 1: Case for low frequency flares



- The long-term trend is reproduced as assumed

Demonstration with artificial data

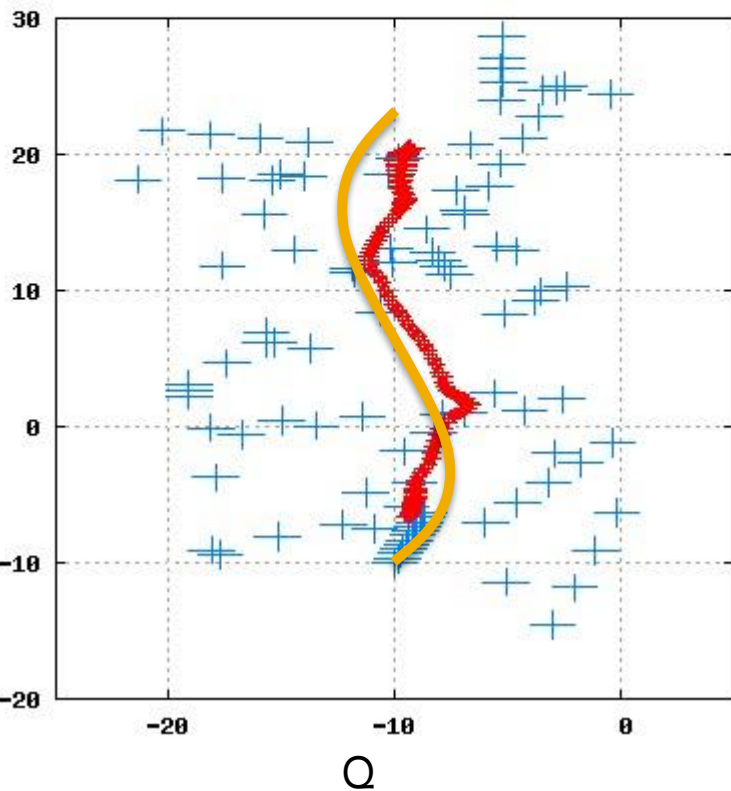
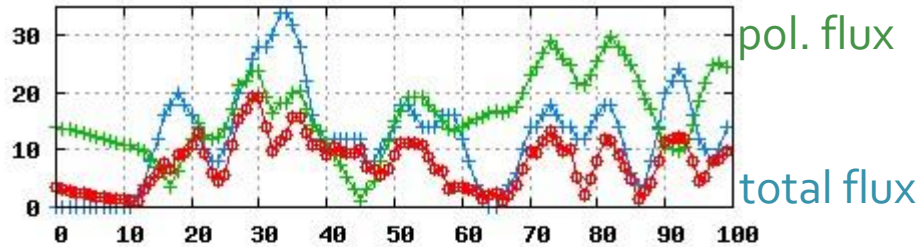
Test 2: Case for High frequency flares



- The long-term trend is successfully estimated.
- This method can extract a long-term trend even if observed variations are apparently just erratic.

Demonstration with artificial data

Test 2: Case for High frequency flares



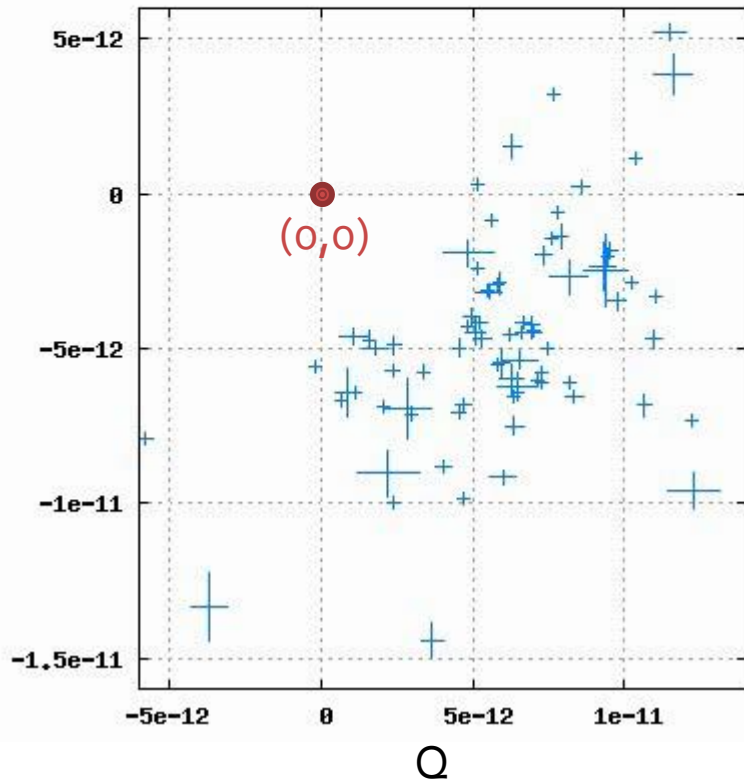
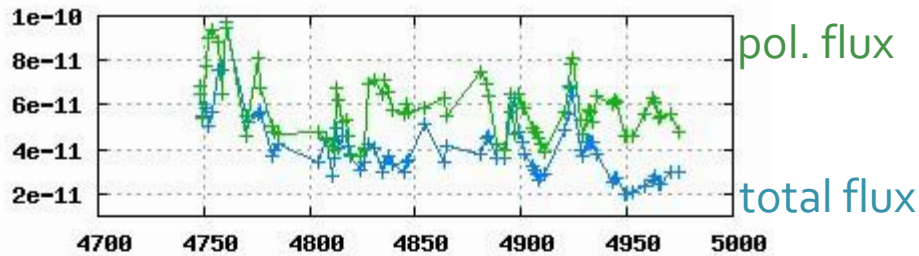
- The long-term trend is successfully estimated.
- This method can extract a long-term trend even if observed variations are apparently just erratic.

Blazar monitoring with the 1.5-m “Kanata” Telescope

- Since 2006
- TRISPEC
 - developed by Nagoya Univ.
 - Simultaneous optical and near-infrared observation
 - photo-polarimetric mode is available
- Monitoring of blazars
 - since 2007
 - 42 sources

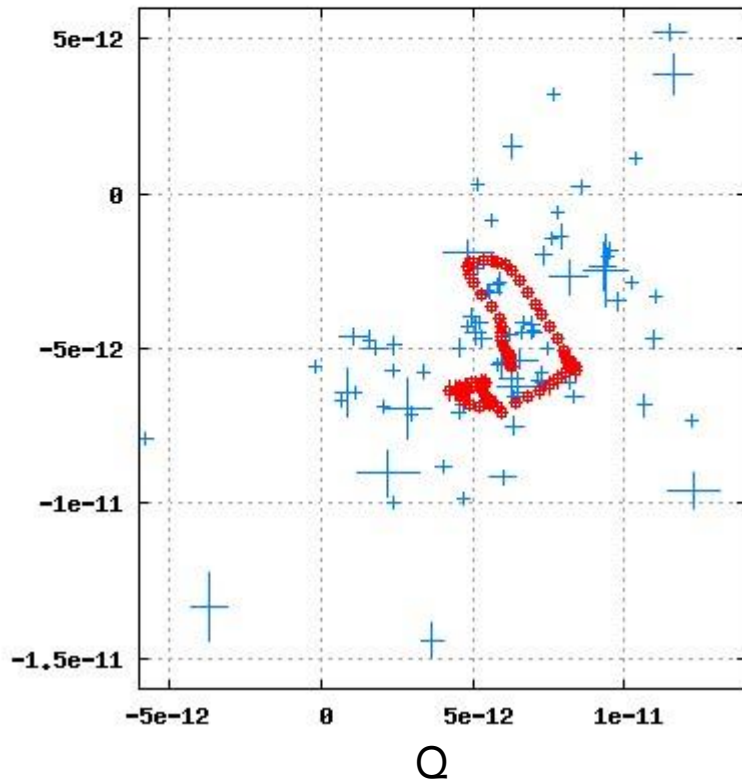
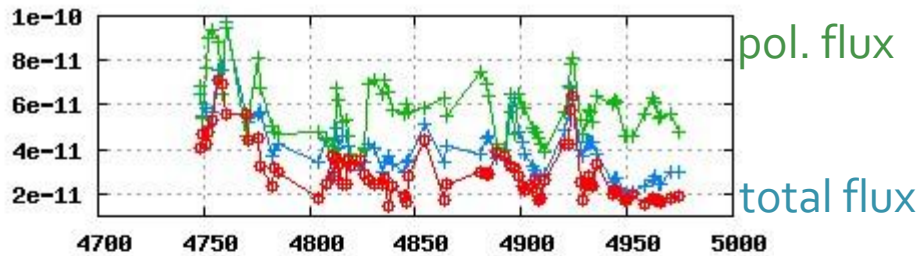


Case 1: OJ 287



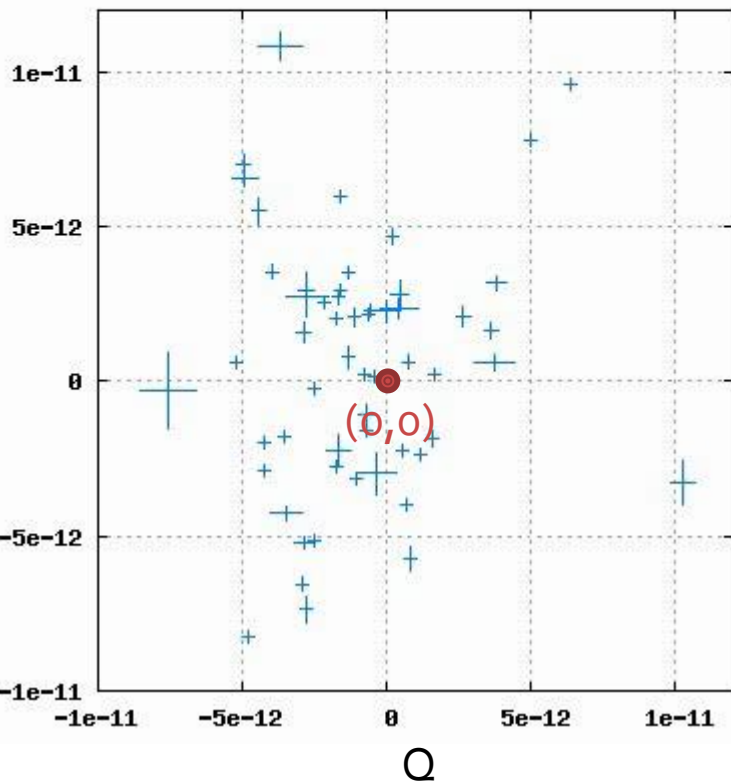
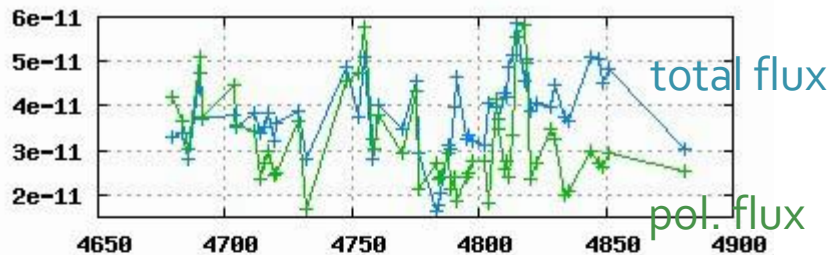
- Data: Oct. 2008 – May 2009
- Observed Q,U distribute NOT around $(Q,U)=(0,0)$
 - A long-term trend is expected to be present.
- As expected, our method shows a long-term trend, possibly oscillating in a small range of PA with a time scale of a few tens of days.
- Good example for our model.

Case 1: OJ 287



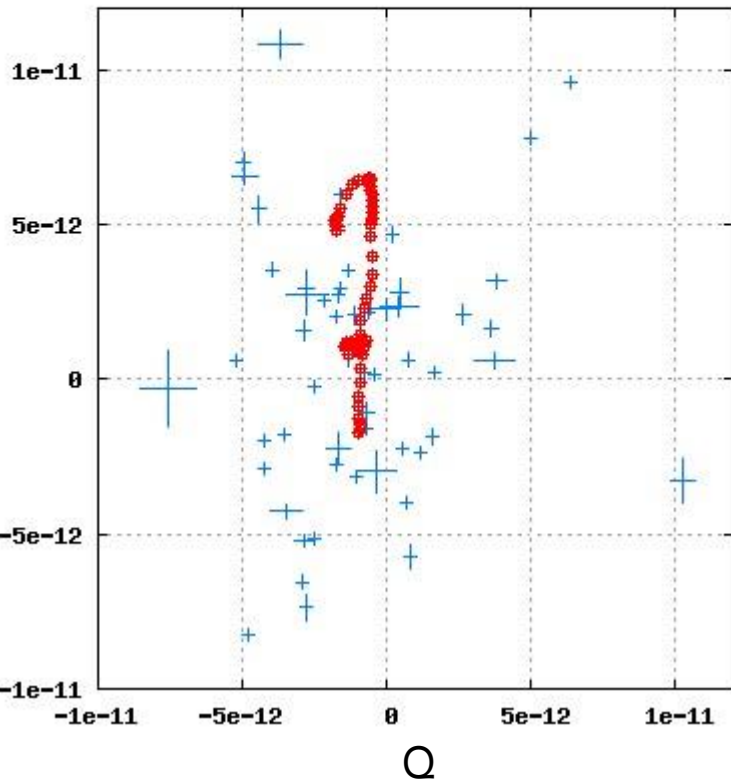
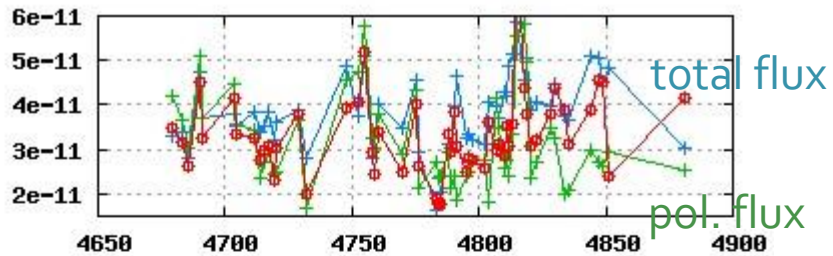
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Case 2: S2 0109+224



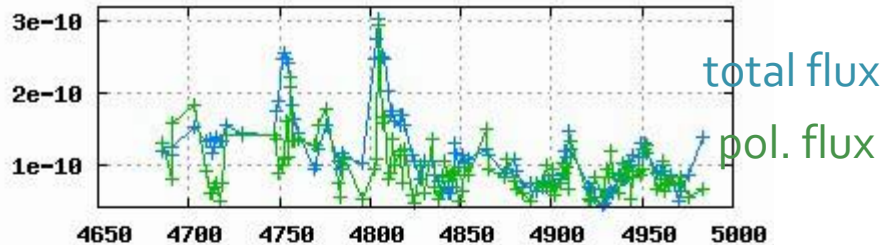
- Data: Aug. 2008 – May 2009
- Our model works well, even if the observed Q, U apparently distribute around $(Q, U) = (0, 0)$.
- Growth and decay of long-term trends?
 - Another trend was born in the latter period?

Case 2: S2 0109+224

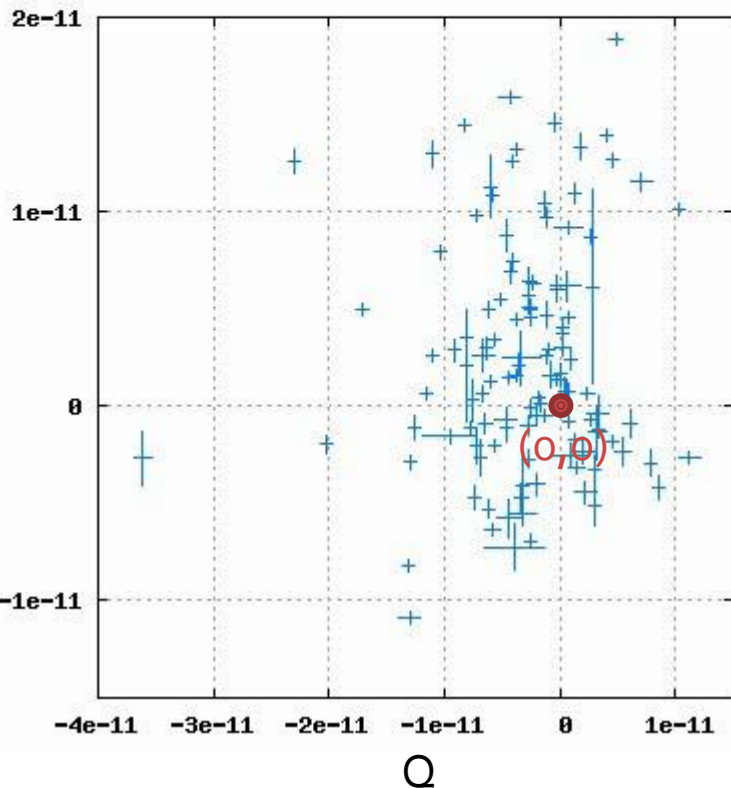


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- Growth and decay of long-term trends?
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Case 3: S5 0716+714

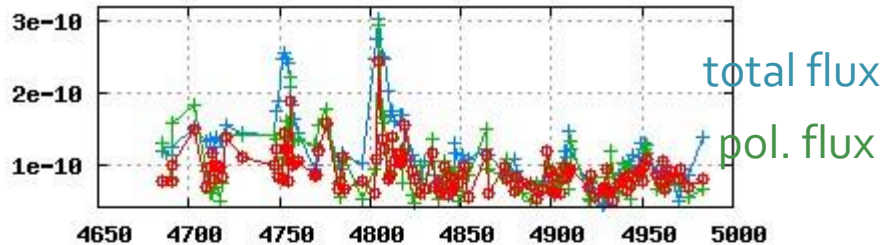


total flux
pol. flux

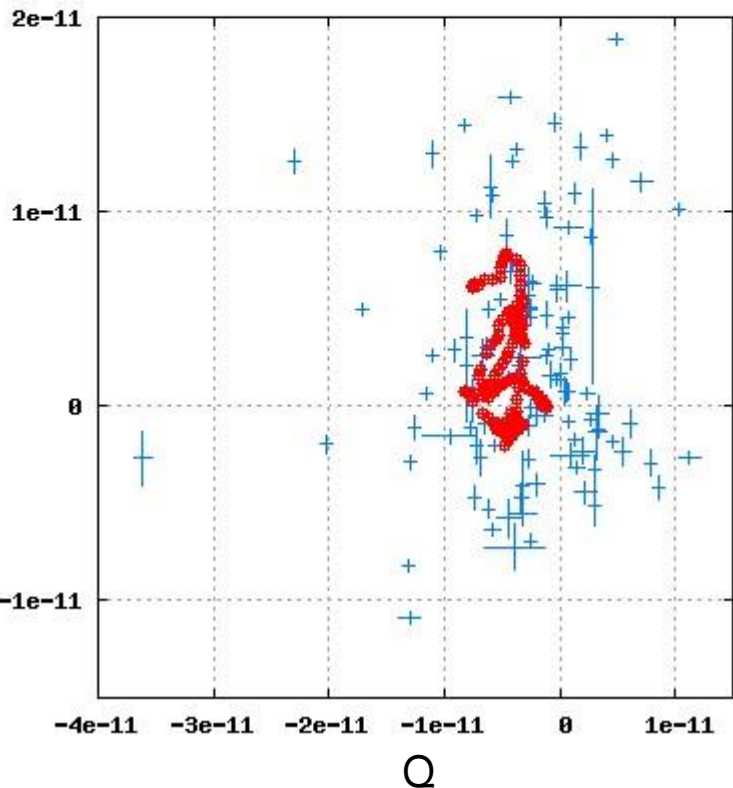


- Data: Jul. 2008 – Feb. 2009
- The estimated long-term trend leads to no significant improvement of the correlation between the light curve and the polarized flux.
- No long-term trend (defined in our model)

Case 3: S5 0716+714



total flux
pol. flux



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- No long-term trend (defined in our model)

Summary: advantage and disadvantage

- Advantages of our Bayesian model
 - We can extract a systematic long-term trend from the observed variation, even if it is apparently erratic.
 - The model may be useful for the test of the presence of the long-term trend.
 - The long-term trend is NOT always obtained.
- Disadvantages of our Bayesian model
 - The model is only valid for the polarized flux, not for the polarization degree in % (, or Q/I, U/I).
 - better definition of the likelihood function or prior distribution?
 - The model do NOT provide evidence for the long-term trend.
 - Confirmation is needed by another kind of observations