

2nd IITB-Hiroshima workshop

**Broadband Cosmological 21-
cm signal from Dark Matter
spin-flip Interactions**

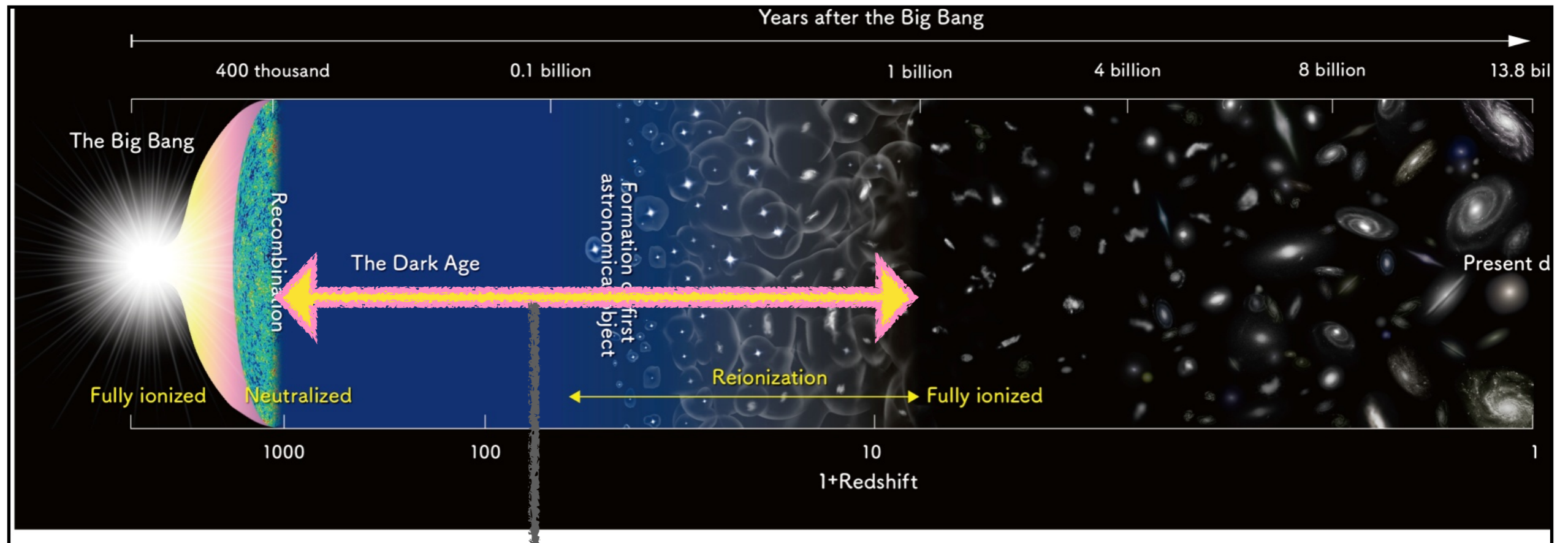
Mansi Dhuria

IITRAM Ahmedabad



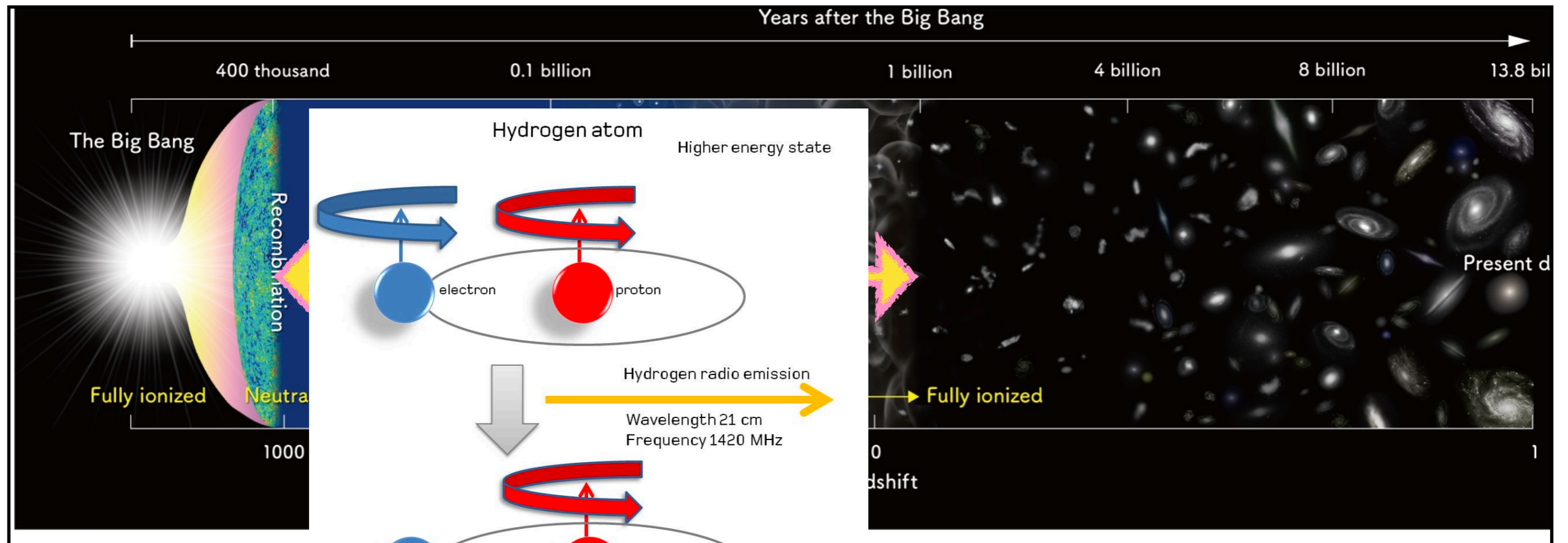
**Based on JCAP 08 (2021) 041 (arXiv: astro-ph/2103.06303)
with Viraj Karambelkar, Vikram Rentala and Priyanka Sarmah**

Timeline of the universe...



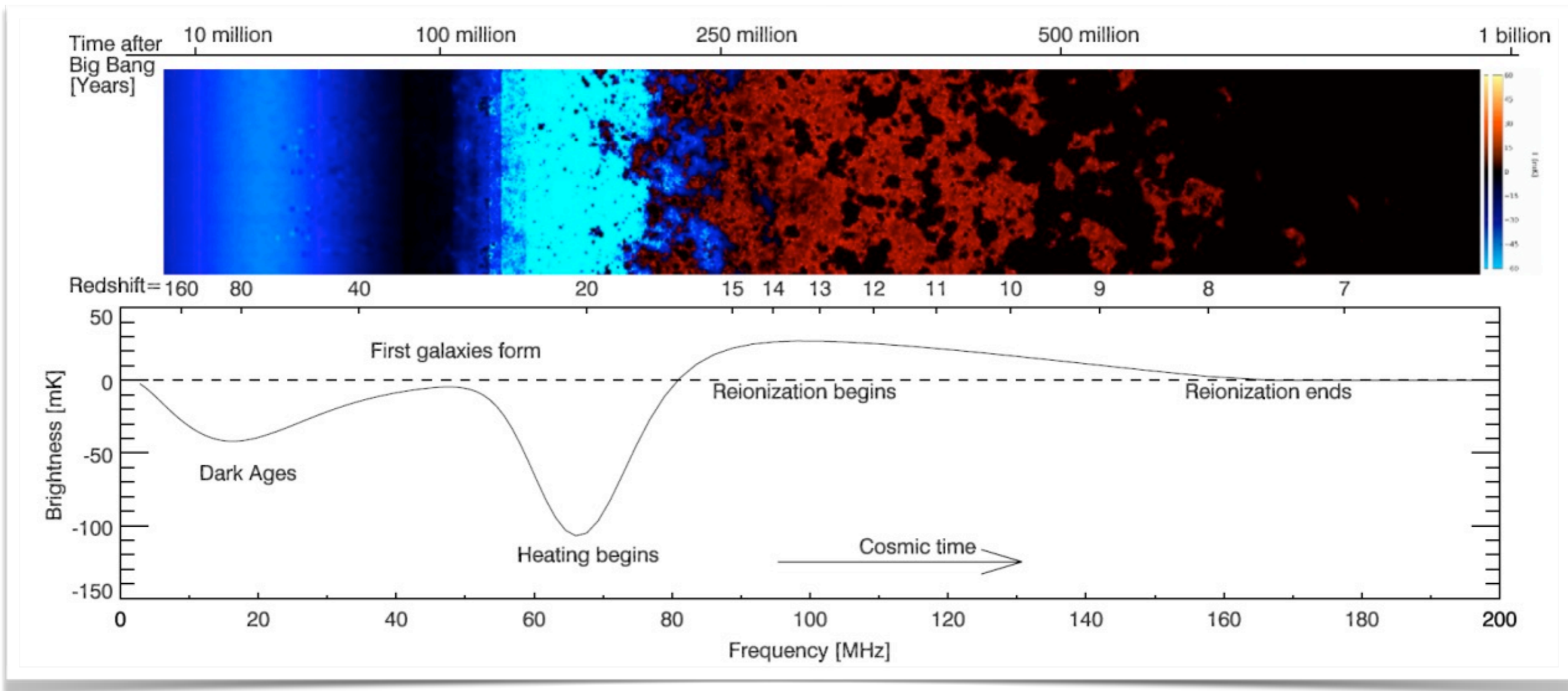
Epoch of 21-cm Hydrogen

Timeline of the universe...



Epoch of 21-cm Hydrogen

Global 21-cm signal in standard cosmology



Pritchard and Loeb 2012

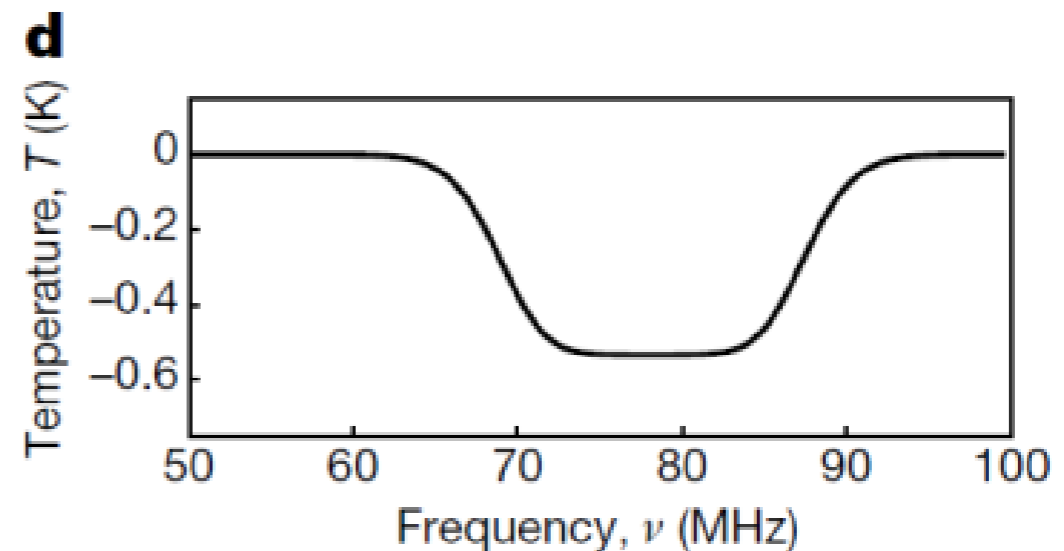
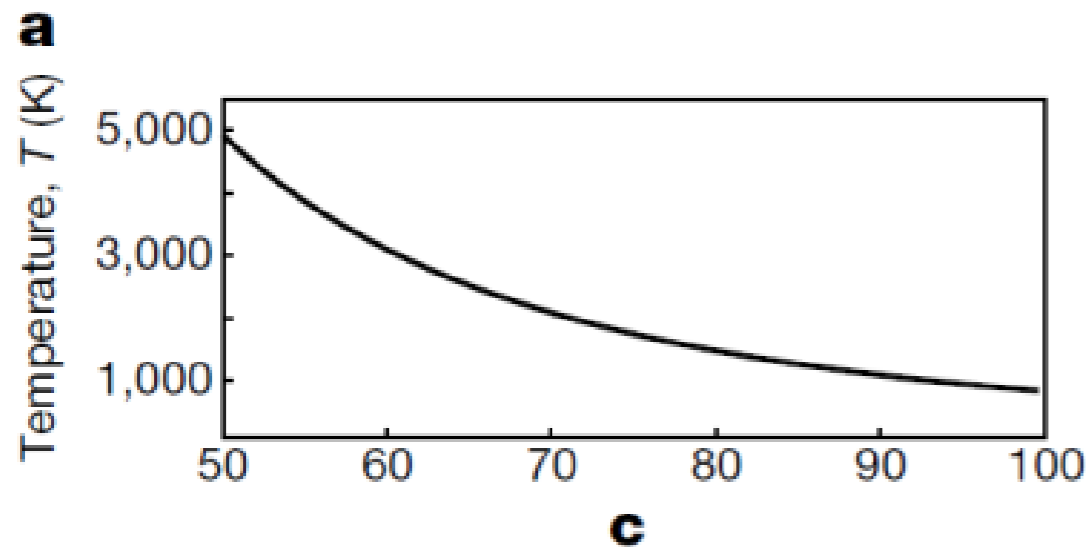
Results from EDGES Global 21-cm Signal

LETTER

doi:10.1038/nature25792

An absorption profile centred at 78 megahertz in the sky-averaged spectrum

Judd D. Bowman¹, Alan E. E. Rogers², Raul A. Monsalve^{1,3,4}, Thomas J. Mozdzen¹ & Nivedita Mahesh¹



Subsequent works...

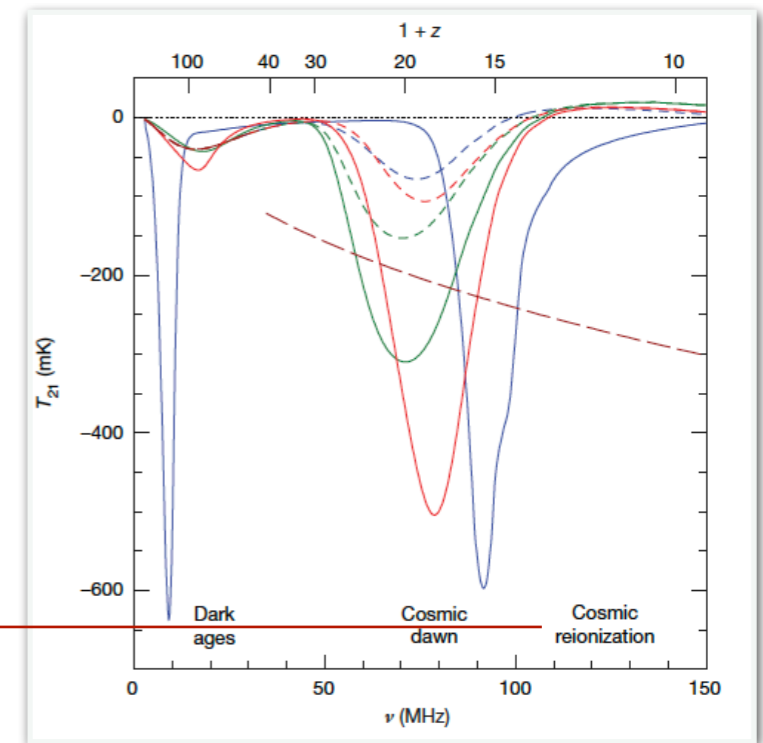
Concerns about Modelling of the EDGES Data

Richard Hills, Girish Kulkarni, P. Daniel Meerburg, & Ewald Puchwein

ARISING FROM J. D. Bowman, A. E. E. Rogers, R. A. Monsalve, T. J. Mozdzen, & N. Mahesh
Nature **555**, 67–70, (2018); <https://doi.org/10.1038/nature25792>.

Excess cooling of Hydrogen due to its interaction with CDM:

Barkana 2018,
Munoz and Loeb 2018,
Berlin, Hooper, Krnjaic, McDermott 2018,
Barkana, Outmezguine, Redigolo, Volansky, 2018
Kovetz et al 2018....



Other experiments:

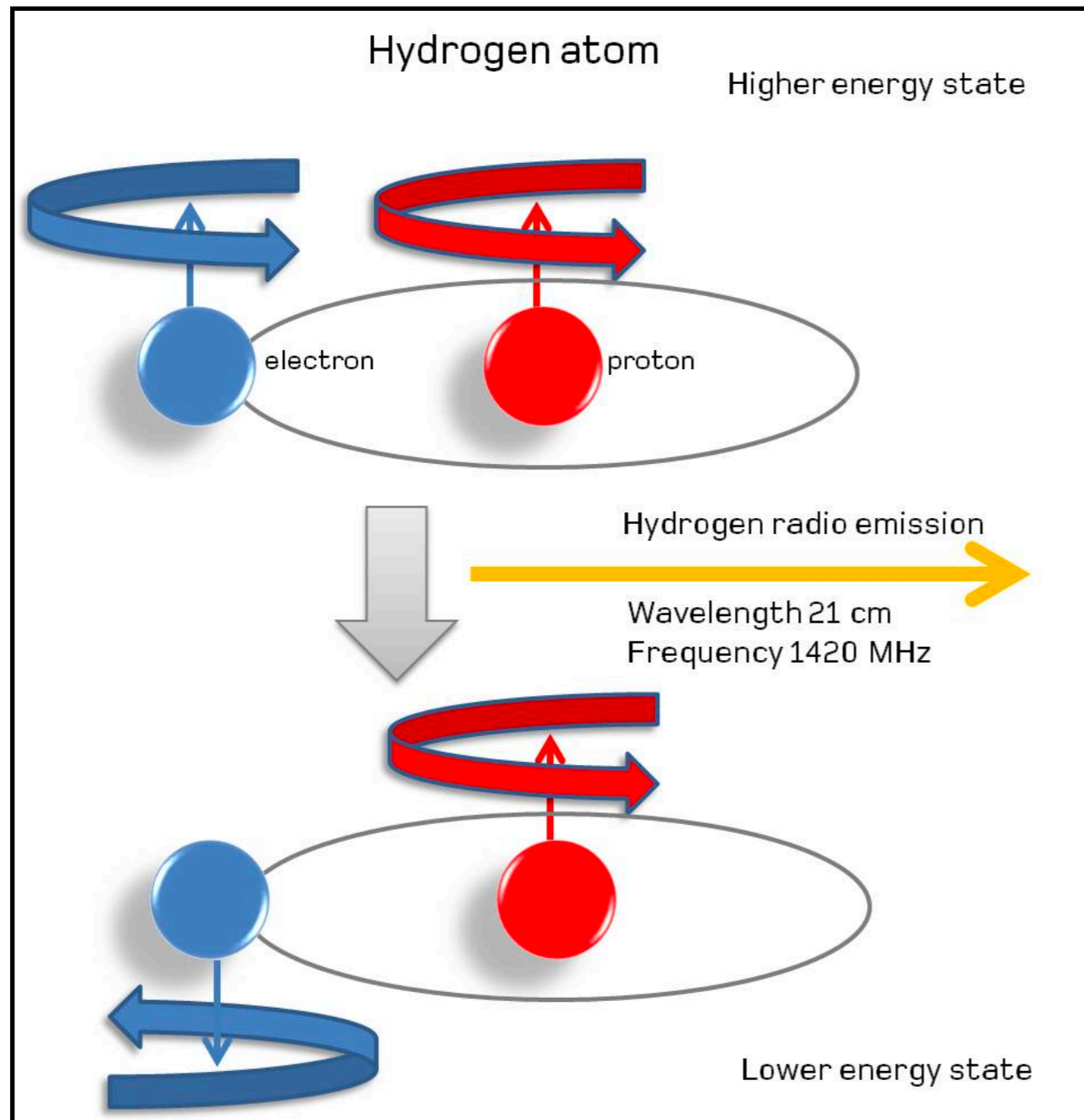
- **Low redshift-** PRIZM, REACH, SARAS, SCI-HI, BIGHORNS ($z \sim 15$)
- **Intermediate red-shift:** LEDA ($z \sim 46$), DAPPER ($z \sim 80$)
- **High red-shift:** FARSIDE, PRATUSH, DARE, NCLE ($z \sim 1000$)

Are there alternative predictions of the cosmological global 21-cm signal in Beyond Standard Model (BSM) physics that could be tested by future experiments?

Outline of the Talk

- Key parameters effecting the Cosmological 21-cm global signal.
- 21-cm signal in excess cooling models.
- **Template of the cosmological global 21-cm signal in DM-spin flip interaction model.**
- Constraints on the spin-flip coupling strengths.
- Summary of our results and future directions.

21-cm neutral hydrogen

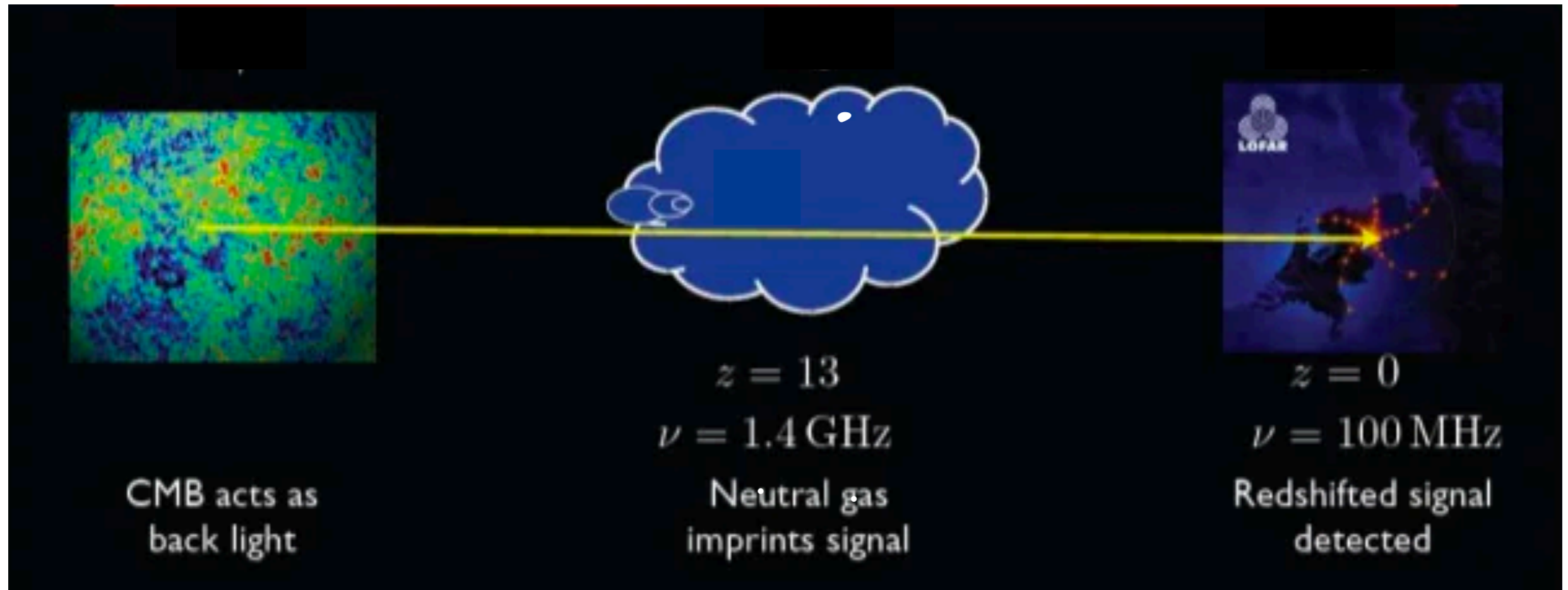


$$\frac{n_1}{n_0} = 3e^{-\frac{\Delta}{T_s}}$$

- n_1 - number of fermions in the singlet state
- n_0 : Number of fermions in the triplet state

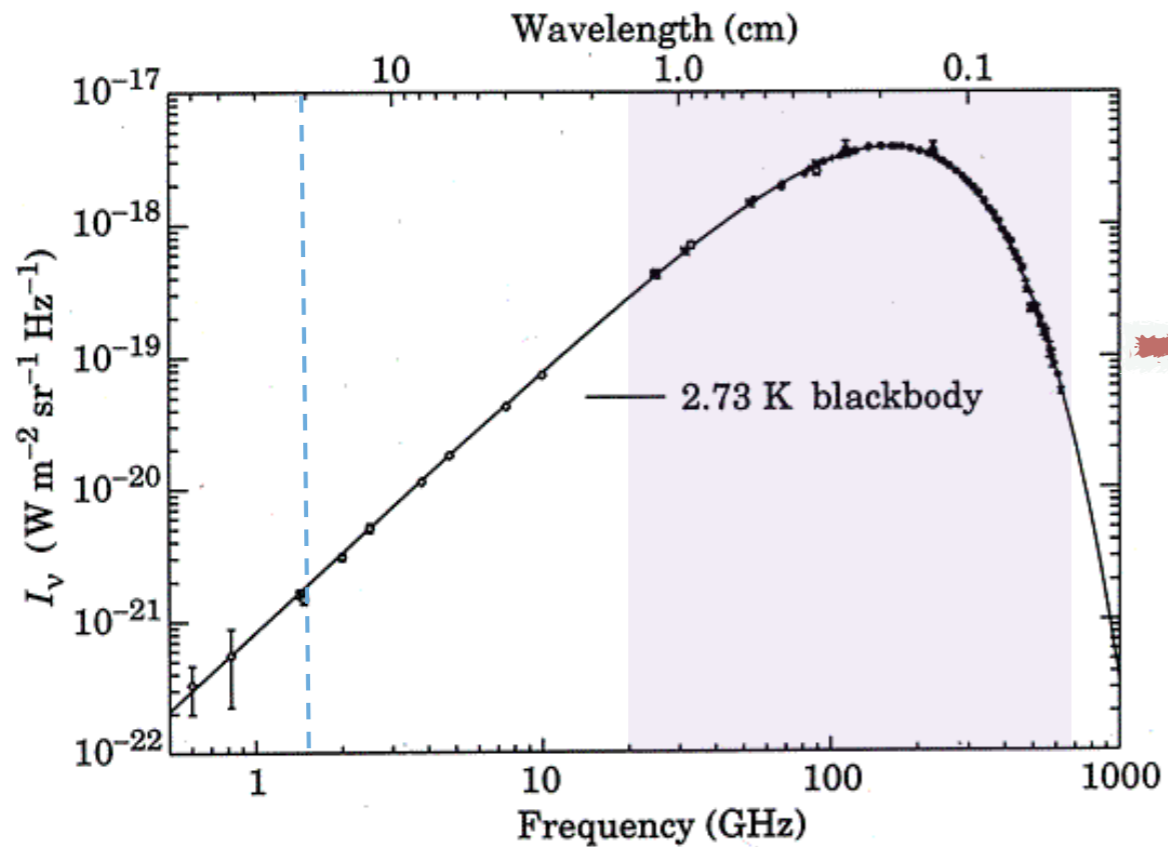
T_s - parameter describing the relative population of singlet and triplet states

Measuring 21-cm hydrogen



$$\nu = 1420 / (1 + z) \text{ MHz}$$

Differential Brightness Temperature



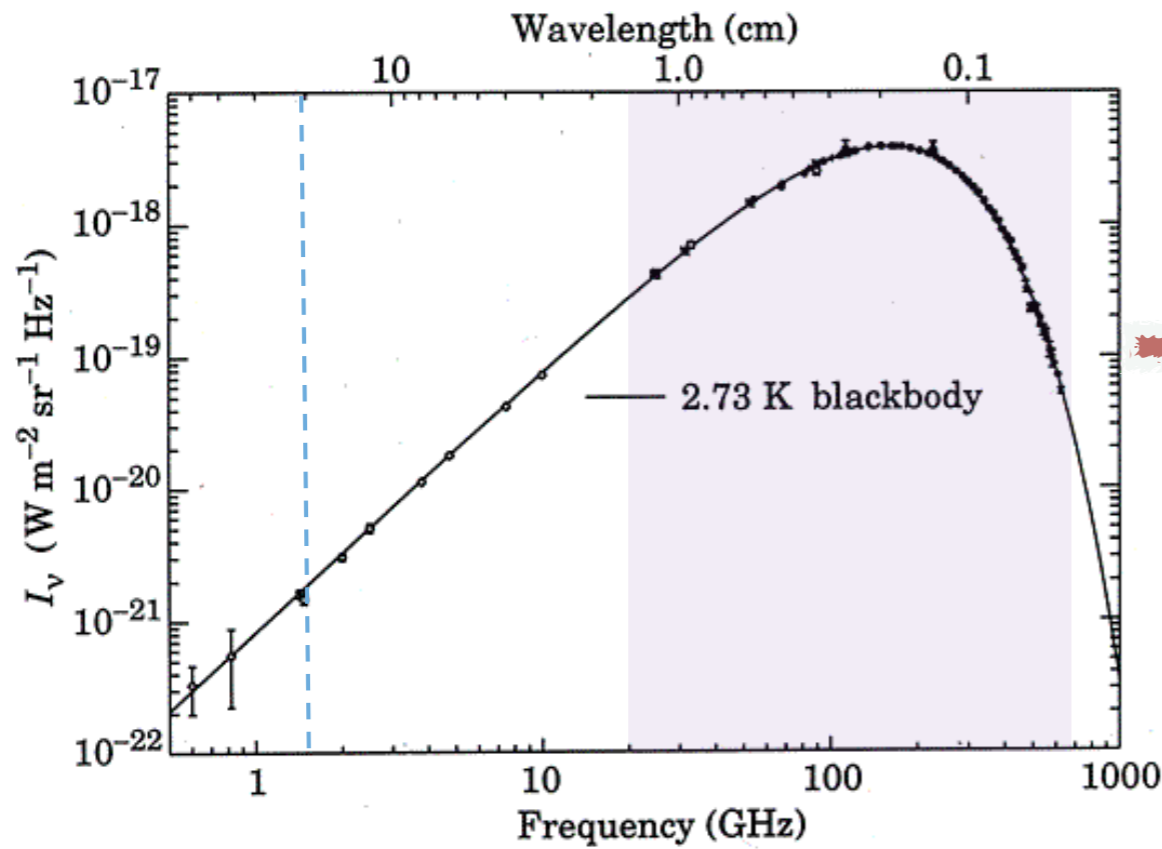
Black Body expectation $I_{\nu}^{\text{CMB}} = 2K_B T \frac{\nu^2}{c^2}$

$$\delta T_b(z) \propto I_{\nu}^{\text{measured}} - I_{\nu}^{\text{CMB}} \propto x_{\text{HI}}(z) \left(\frac{T_s(z) - T_{\text{CMB}}(z)}{T_s(z)} \right) \text{ mK}$$

$\delta T_b > 0$: net **emission** if $T_s > T_{\text{CMB}}$, i.e. more excited than needed to be in equilibrium with CMB

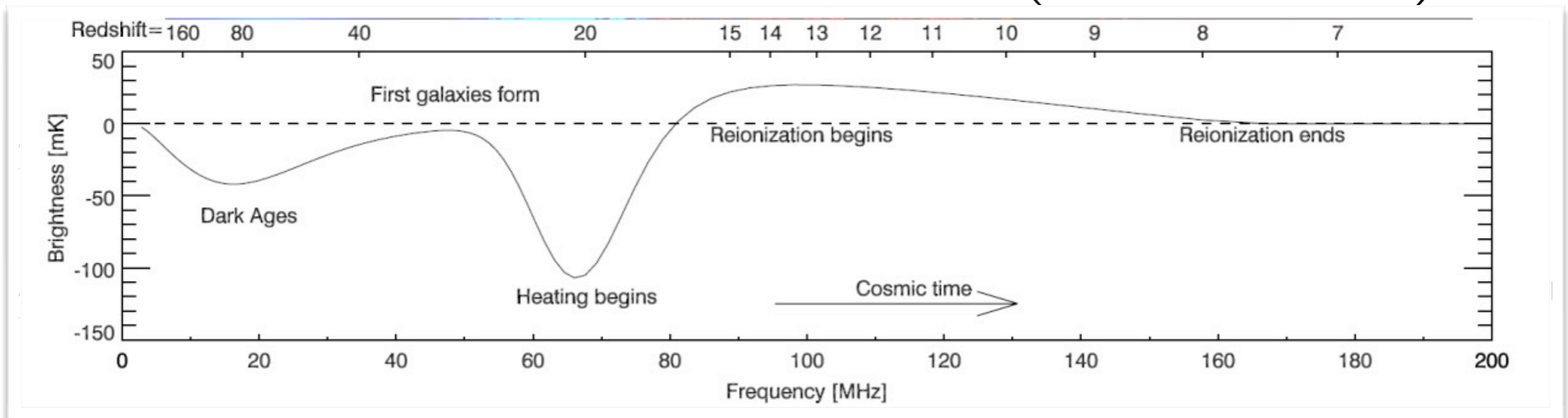
$\delta T_b < 0$: net **absorption** if $T_s < T_{\text{CMB}}$,

Differential Brightness Temperature



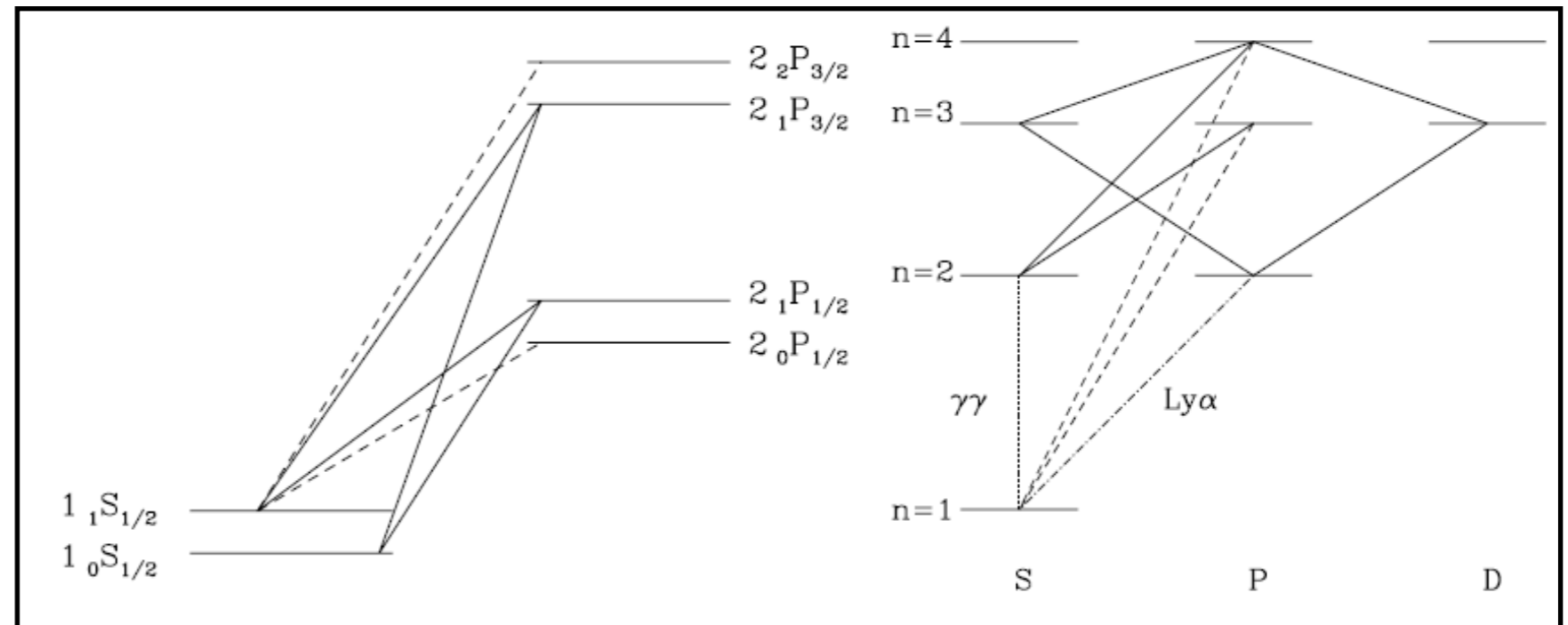
Black Body expectation $\rightarrow I_\nu^{\text{CMB}} = 2K_B T \frac{\nu^2}{c^2}$

$$\delta T_b(z) \propto I_\nu^{\text{measured}} - I_\nu^{\text{CMB}} \propto x_{\text{HI}}(z) \left(\frac{T_s(z) - T_{\text{CMB}}(z)}{T_s(z)} \right) \text{ mK}$$



Processes altering the spin temperature

- CMB excitations and de-excitations: A_{10} (spontaneous de-excitation), B_{01} (simulated excitation), B_{10} (simulated de-excitation)
- Collisional coupling $H0 + (H,e,p)$: C_{01} , C_{10}
- Lyman- α photons from the first stars (Wouthuysen-Field effect): P_{01} , P_{10}



Processes altering the spin temperature

$$n_0(B_{01} + C_{01} + P_{01}) = n_1(A_{10} + B_{10} + C_{10} + P_{10})$$

$$B_{10} = n_\gamma \langle \sigma(H_1 + \gamma \rightarrow H_0 + \gamma\gamma)v \rangle \simeq A_{10} \frac{T_{\text{CMB}}}{\Delta}$$

$$\frac{n_1}{n_0} = 3e^{-\frac{\Delta}{T_s}} \simeq 3 \left(1 - \frac{\Delta}{T_s} \right)$$

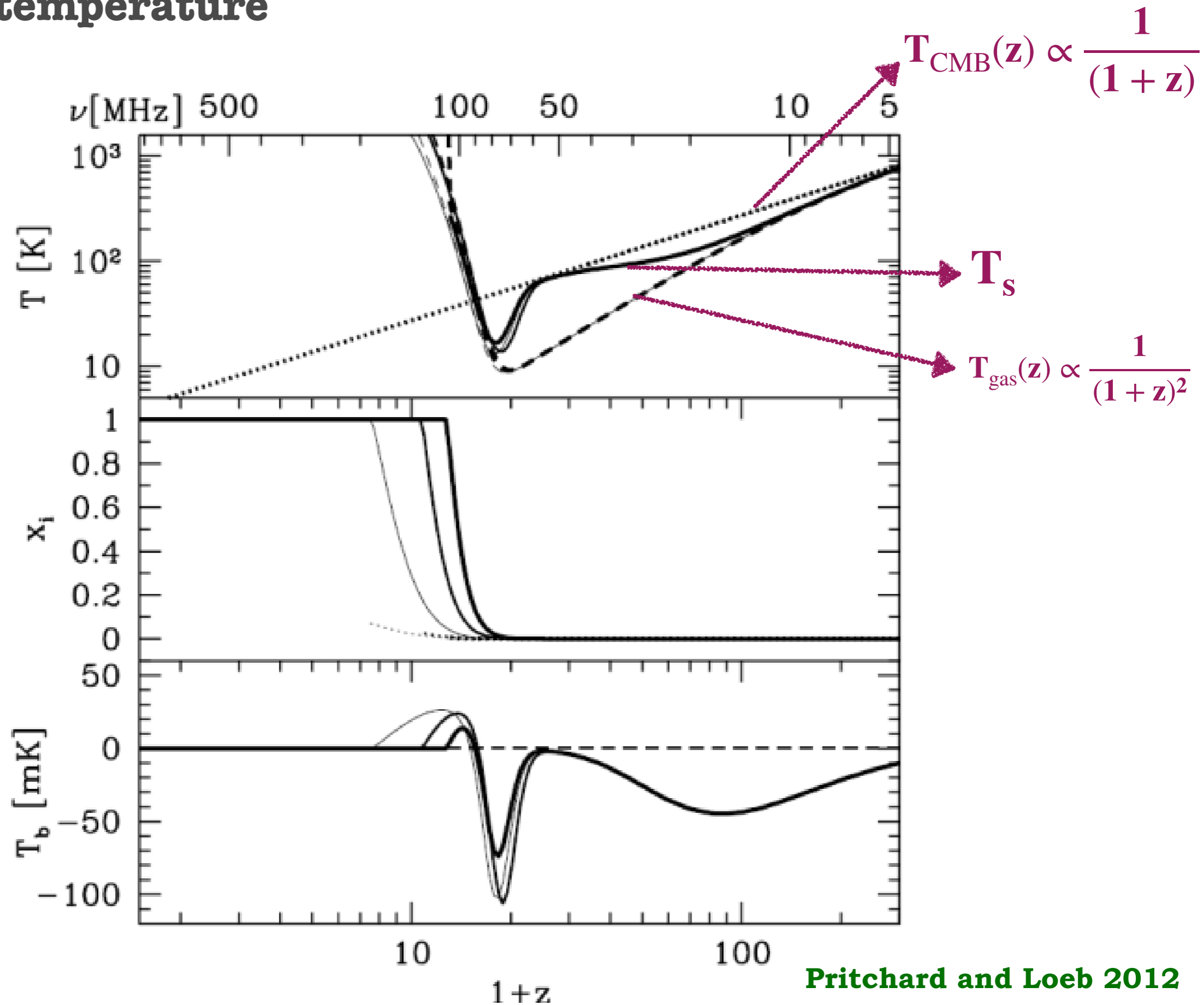
$$\frac{C_{01}}{C_{10}} = 3e^{-\frac{\Delta}{T_K}} \simeq 3 \left(1 - \frac{\Delta}{T_K} \right) \quad A_{10} = (10 \text{ million years})^{-1}$$

$$\frac{P_{01}}{P_{10}} = 3e^{-\frac{\Delta}{T_c}} \simeq 3 \left(1 - \frac{\Delta}{T_c} \right) \quad x_\alpha = \frac{P_{10}}{B_{10}}$$

$$T_s^{-1} = \frac{T_{\text{CMB}}^{-1} + x_C T_K^{-1} + x_\alpha T_c^{-1}}{1 + x_C + x_\alpha}$$

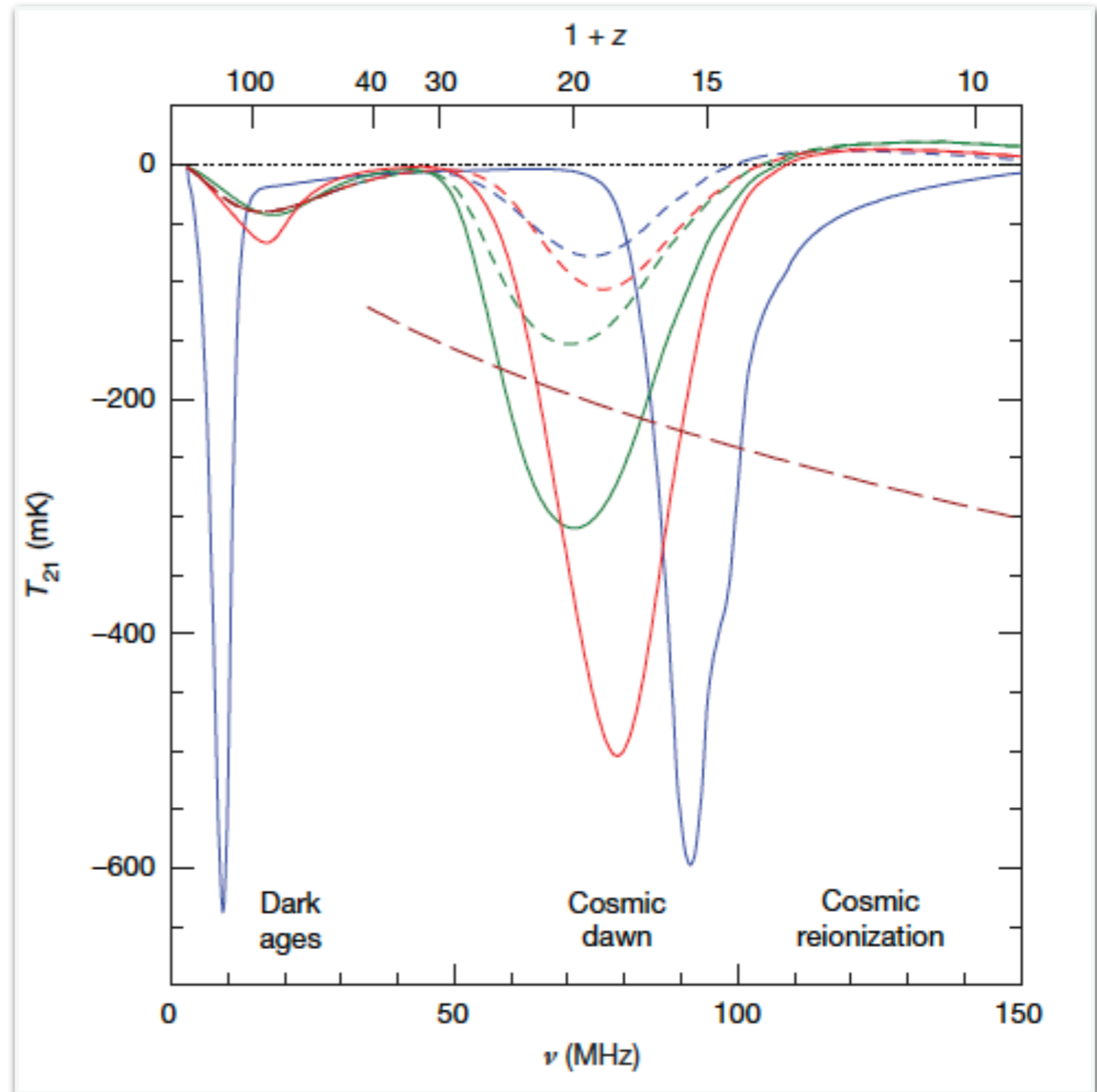
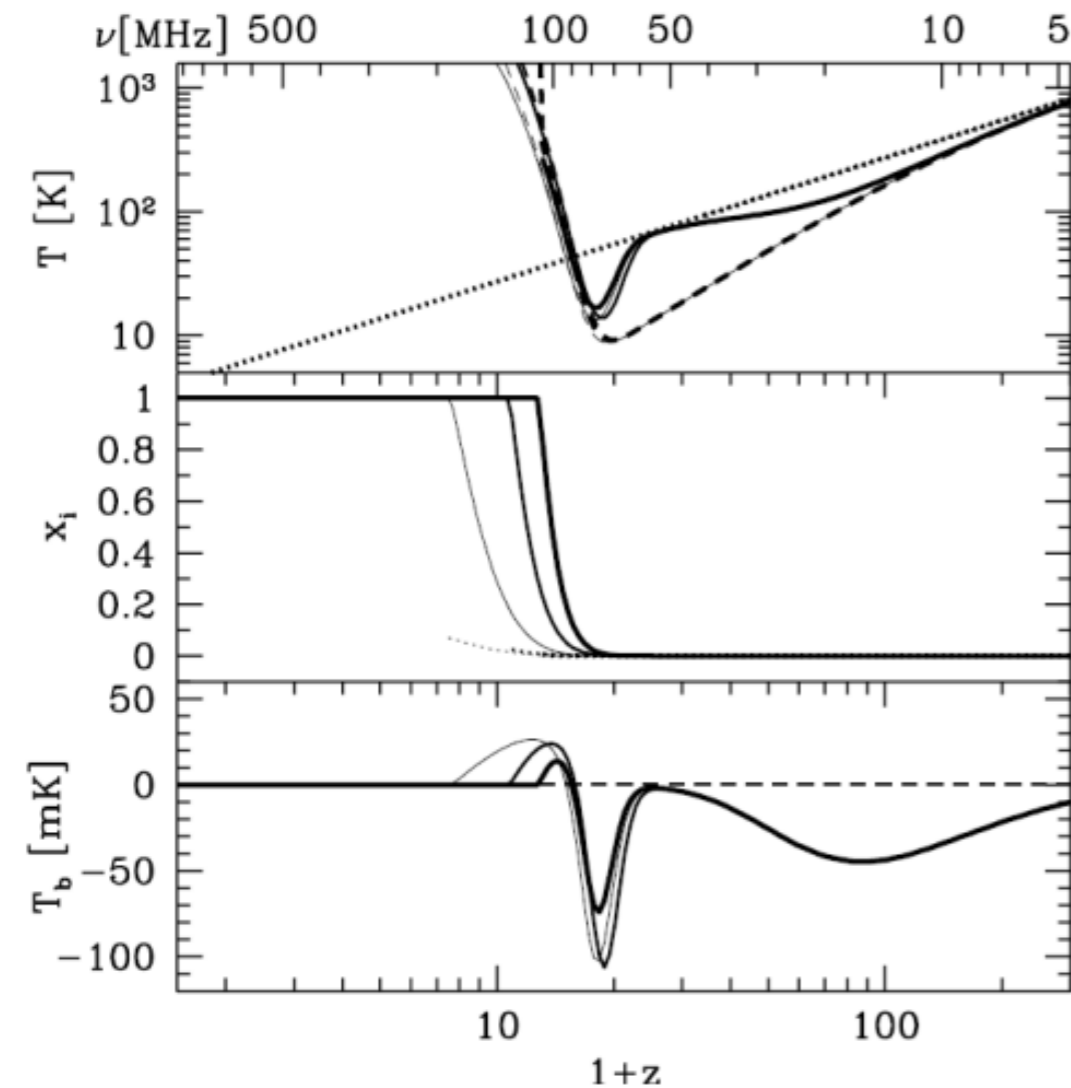
$$x_C = \frac{C_{10}}{B_{10}}$$

Evolution of the Spin temperature, gas temperature and brightness temperature



Standard Cosmology/Excess Cooling Models

R. Barkana 2018



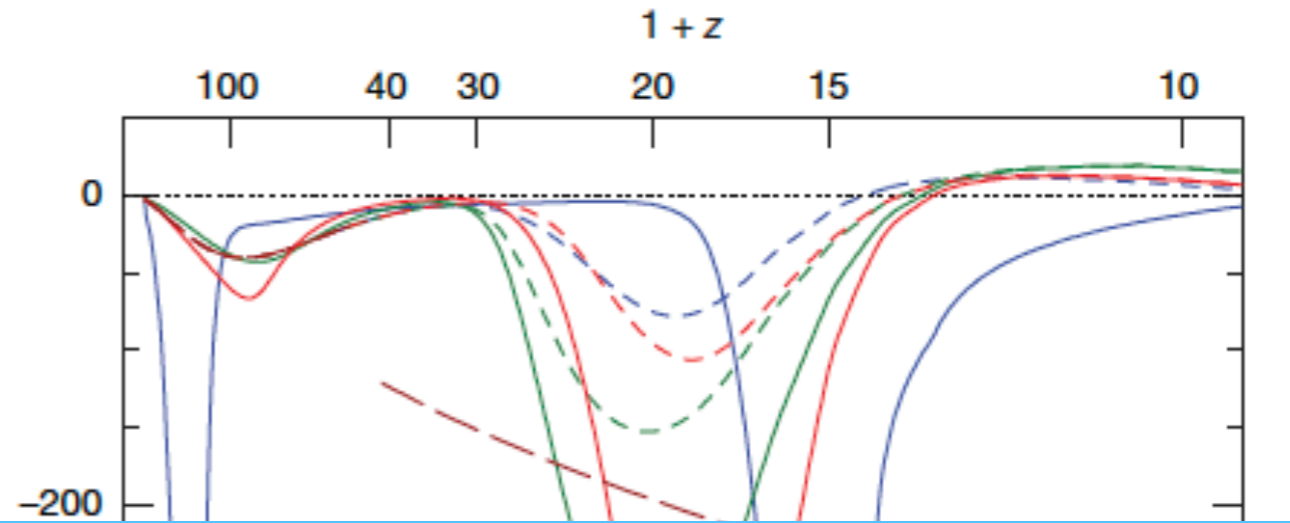
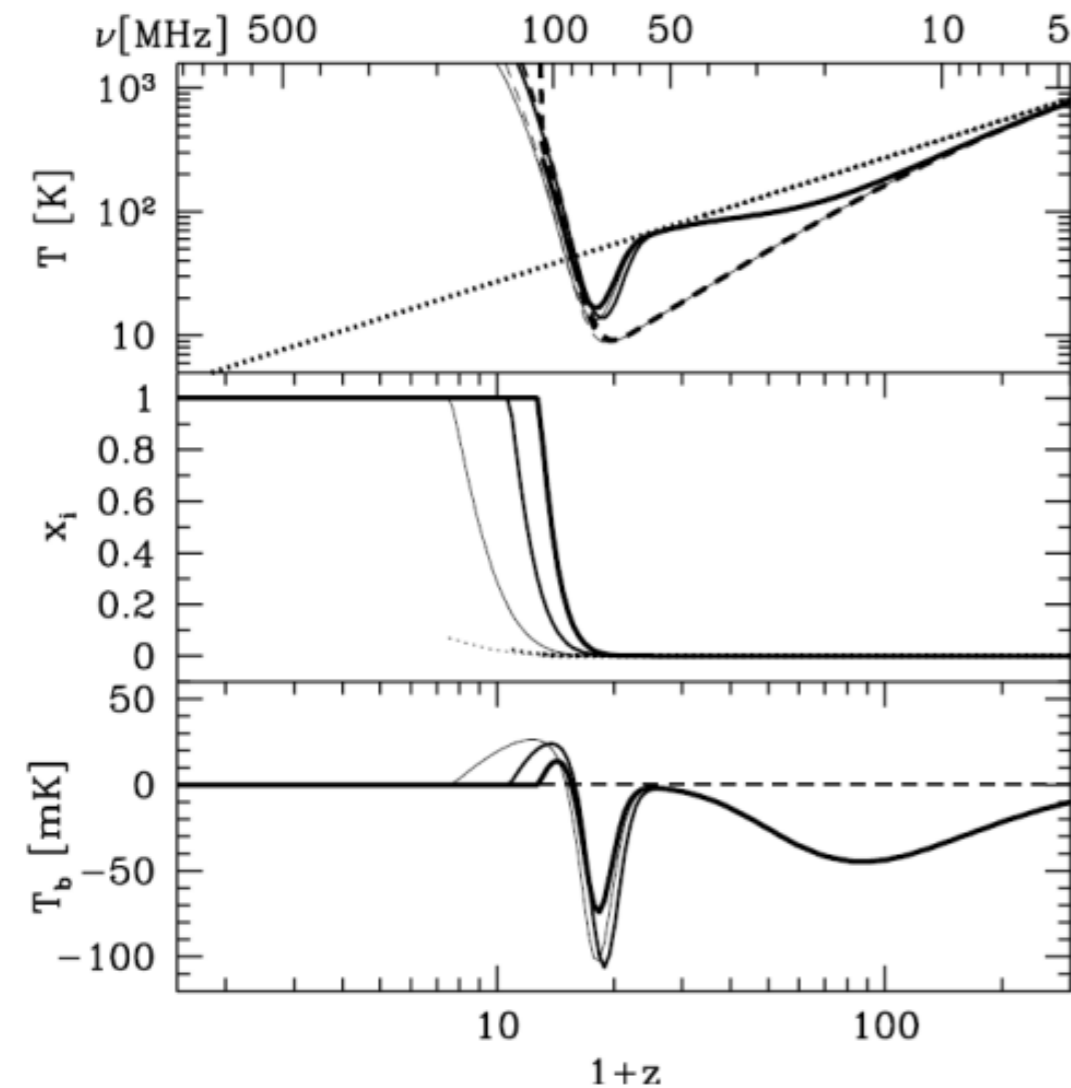
$$\sigma_{\chi-H} \sim 8 \times 10^{-20} \text{ cm}^2, m_{\chi} \sim 0.3 \text{ GeV}$$

$$\sigma_{\chi-H} \sim 3 \times 10^{-19} \text{ cm}^2, m_{\chi} \sim 2 \text{ GeV}$$

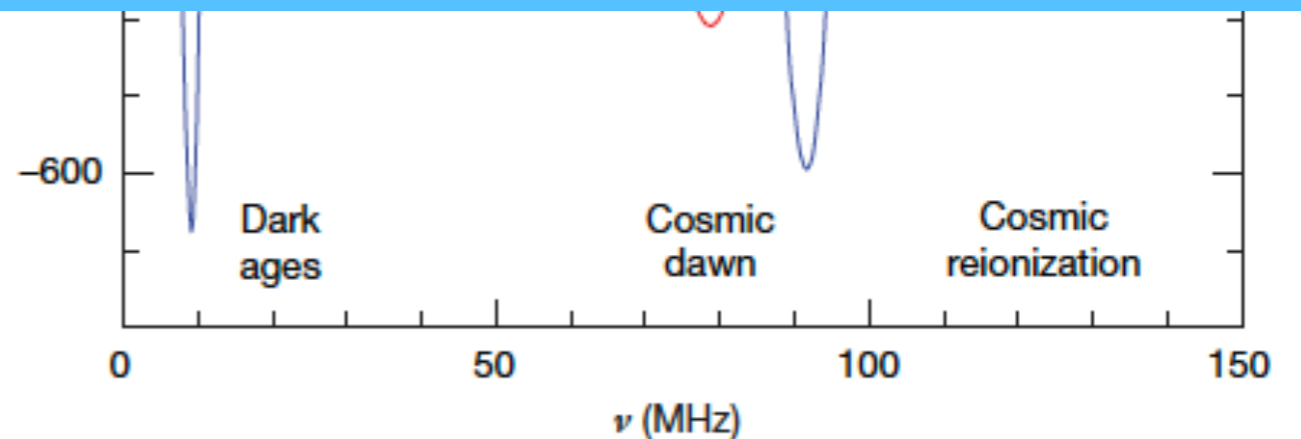
$$\sigma_{\chi-H} \sim 3 \times 10^{-18} \text{ cm}^2, m_{\chi} \sim 0.01 \text{ GeV}$$

Standard Cosmology/Excess Cooling Models

R. Barkana 2018



Same Band limited features as the standard cosmological model but with a strong absorption dip



$$\sigma_{\chi-H} \sim 8 \times 10^{-20} \text{ cm}^2, m_{\chi} \sim 0.3 \text{ GeV}$$

$$\sigma_{\chi-H} \sim 3 \times 10^{-19} \text{ cm}^2, m_{\chi} \sim 2 \text{ GeV}$$

$$\sigma_{\chi-H} \sim 3 \times 10^{-18} \text{ cm}^2, m_{\chi} \sim 0.01 \text{ GeV}$$

Are there alternative predictions of the cosmological global 21-cm signal in Beyond Standard Model (BSM) physics that could be tested by future experiments?



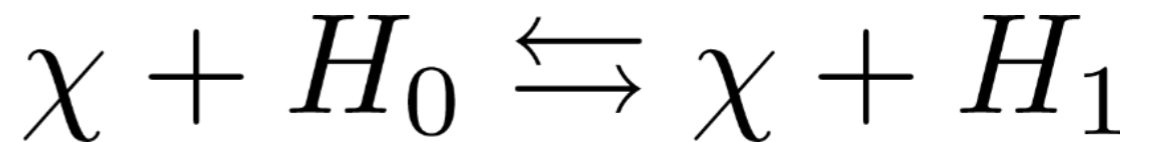
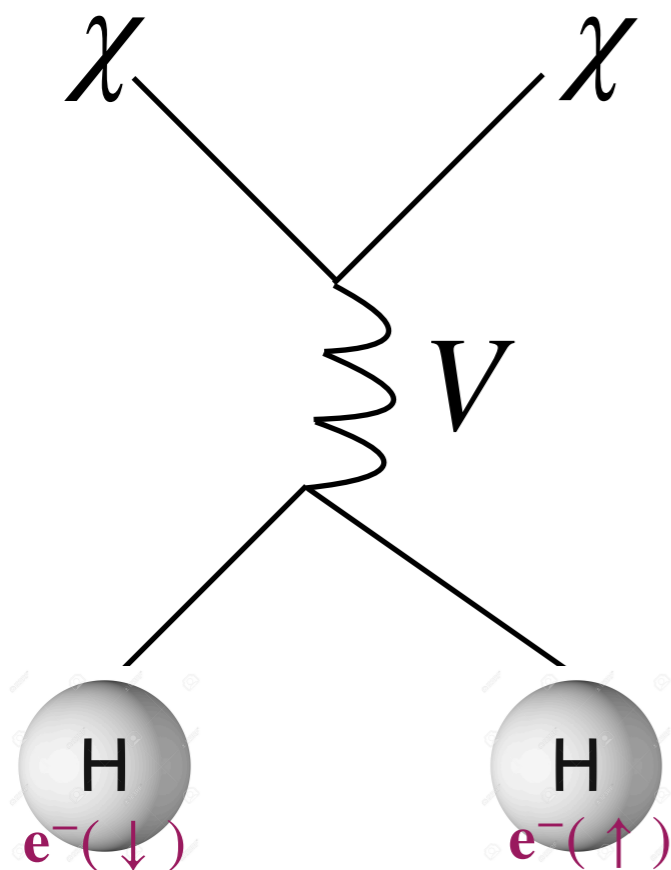
Can we have other processes which could control the spin temperature?

Dark matter spin flip Interaction Model

Spin-flip Interactions

$$\mathcal{L} = ig_\chi \bar{\chi} \gamma^\mu \gamma^5 \chi V_\mu + ig_e \bar{e} \gamma^\mu \gamma^5 e V_\mu$$

t-channel scattering



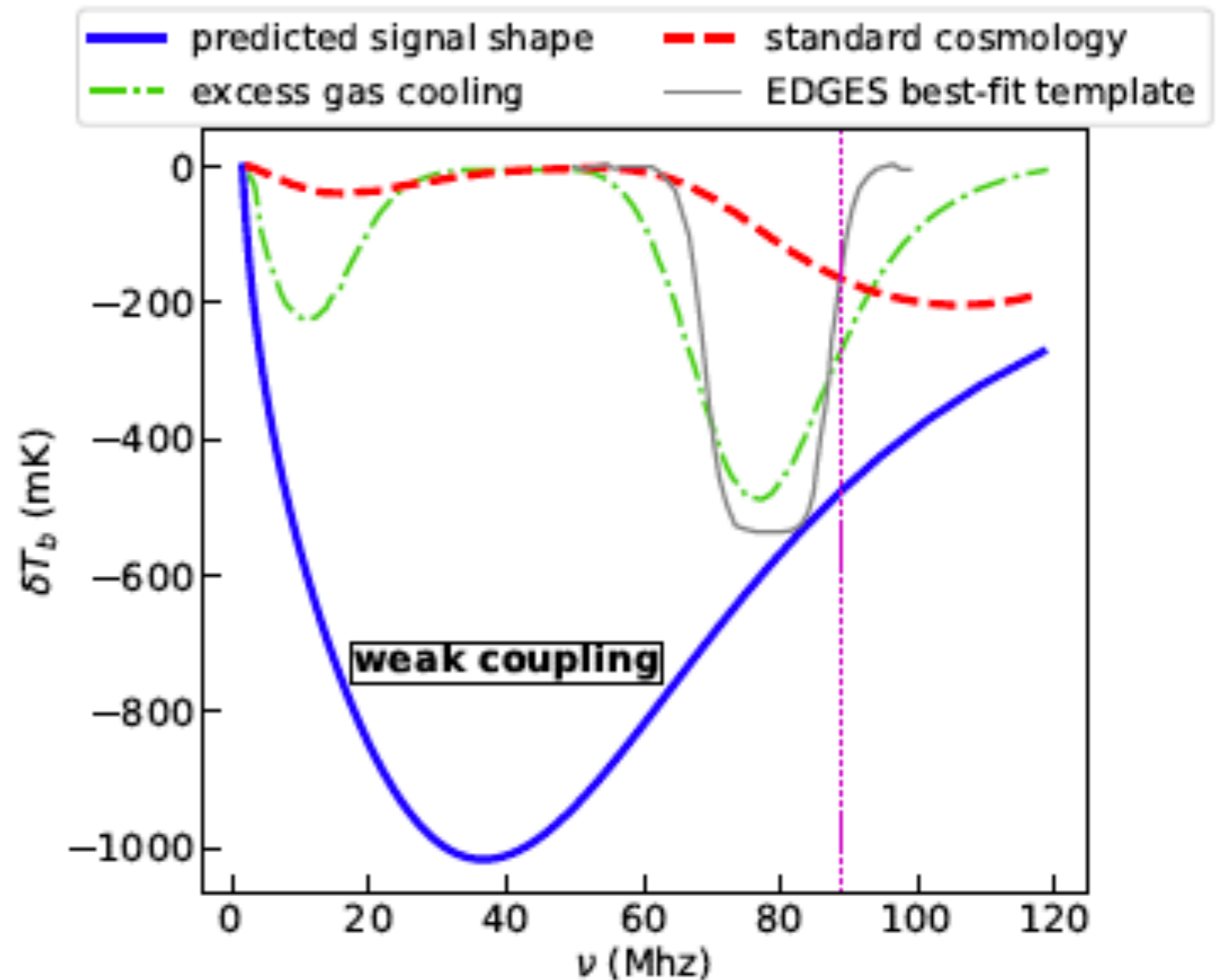
The mechanisms altering the spin temperature are:

- **Direct spin flip interactions:** D_{01}, D_{10} .
- **Energy exchange between Dark Matter and gas.**

Five parameters: $\alpha_\chi, \alpha_e, m_\chi, f, m_V$

Snapshot of our key results in comparison to Standard Cosmology/Excess cooling Models

- **Dominance of spin flip interactions over the energy transfer rate between gas and dark matter.**
- **Lower the spin-temperature over a large red-shift range leading to a single strong, broadband absorption signal ranging from 1.4 Mhz ($z \sim 1000$) to 90 MHz ($z \sim 15$).**
- **Spin-temperature does not necessarily track the gas temperature.**



Other works: Lambiase and Mohanty 2018, Auriol et al 2018, Widmark 2019

Modified spin temperature

$$n_0(B_{01} + C_{01} + P_{01} + D_{01}) = n_1(A_{10} + B_{10} + C_{10} + P_{10} + D_{10})$$

$$\frac{D_{01}}{D_{10}} = 3e^{-\Delta/T_{\text{eff}}} \simeq 3 \left(1 - \frac{\Delta}{T_{\text{eff}}} \right)$$

$$T_{\text{eff}} = \mu \left(\frac{T_K}{m_H} + \frac{T_\chi}{m_\chi} \right)$$

$$\mu = \frac{m_H m_\chi}{m_H + m_\chi}$$

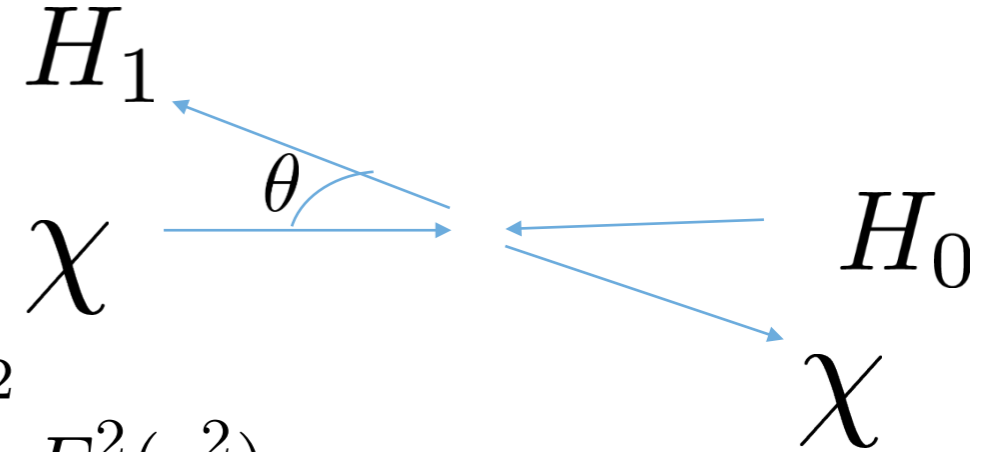
$$T_s^{-1} = \frac{T_{\text{CMB}}^{-1} + x_C T_K^{-1} + x_\alpha T_c^{-1} + x_D T_{\text{eff}}^{-1}}{1 + x_C + x_\alpha + x_D}$$

Forward Scattering and Spin flip cross-section

In the non-relativistic limit,

$$V(r) = \frac{g_\chi g_e}{r} e^{-m_V r} (\vec{S}_e \cdot \vec{S}_\chi)$$

$$\sigma_{01} v_{\text{rel}} \simeq \frac{3}{2\pi} g_\chi^2 g_e^2 \mu p' \int_{-1}^1 d(\cos \theta) \left(\frac{1}{q^2 - m_V^2} \right)^2 F^2(q^2).$$



For elastic scattering with massless mediator, the cross-section scales as Rutherford scattering

$$\frac{d\sigma}{d\Omega} \propto \frac{\alpha_e \alpha_\chi}{\mu^2 v^4 \sin^4 \frac{\theta}{2}}$$

$$\sigma_{01} \sim \frac{3}{4\pi} \frac{g_\chi^2 g_e^2}{\Delta^2}, \text{ assuming } m_V^2 \ll p_{\text{th}}^4 / p_c^2 \approx \sqrt{\frac{2\mu}{T_{\text{eff}}}} \Delta$$

Spin flip Interactions vs Energy transfer rate

$$\sigma_{01} \sim \frac{3}{4\pi} \frac{g_\chi^2 g_e^2}{\Delta^2}, \text{ assuming } m_V^2 \ll p_{\text{th}}^4 / p_c^2 \approx \sqrt{\frac{2\mu}{T_{\text{eff}}}} \Delta$$

$$T_{\text{eff}} = \mu \left(\frac{T_K}{m_H} + \frac{T_\chi}{m_\chi} \right)$$

$$\mu = \frac{m_H m_\chi}{m_H + m_\chi}$$

- *a nearly divergent scattering crosssection driven by the large probability for forward scattering. This divergence is cut-off by the tiny hyperfine mass-splitting between the singlet and triplet states*

$$D_{10} \propto n_\chi \langle \sigma v \rangle$$

- *Small mass splitting Leads to a large cross-section for the spin-flip interaction.*

$$D_{10} = 3.01 \times 10^{-12} \left(\frac{f}{0.1} \right) \left(\frac{0.1 \text{ GeV}}{m_\chi} \right) \left(\frac{\alpha_\chi}{10^{-2}} \right) \left(\frac{\alpha_e}{10^{-14}} \right) \left(\frac{0.1 \text{ GeV}}{\mu} \right)^{\frac{1}{2}} \left(\frac{T_{\text{eff}}}{10 \text{ K}} \right)^{\frac{1}{2}} \left(\frac{1+z}{1+10} \right)^3 \text{ s}^{-1}$$

Spin flip Interactions vs Energy transfer rate

The energy transfer cross-section for the massless mediator in case of elastic scattering

$$\frac{d\bar{\sigma}}{d\Omega} \propto \frac{\alpha_e \alpha_\chi}{\mu^2 v^4 \sin^4 \frac{\theta}{2}} (1 - \cos \theta)$$

In our case of DM induced inelastic spin flip scattering,

$$\bar{\sigma} = 4\pi \frac{\alpha_e \alpha_\chi}{\Delta^2} \times \left(\frac{\Delta}{T_{\text{eff}}} \right) \longrightarrow \text{Suppressed by hyperfine splitting parameter}$$

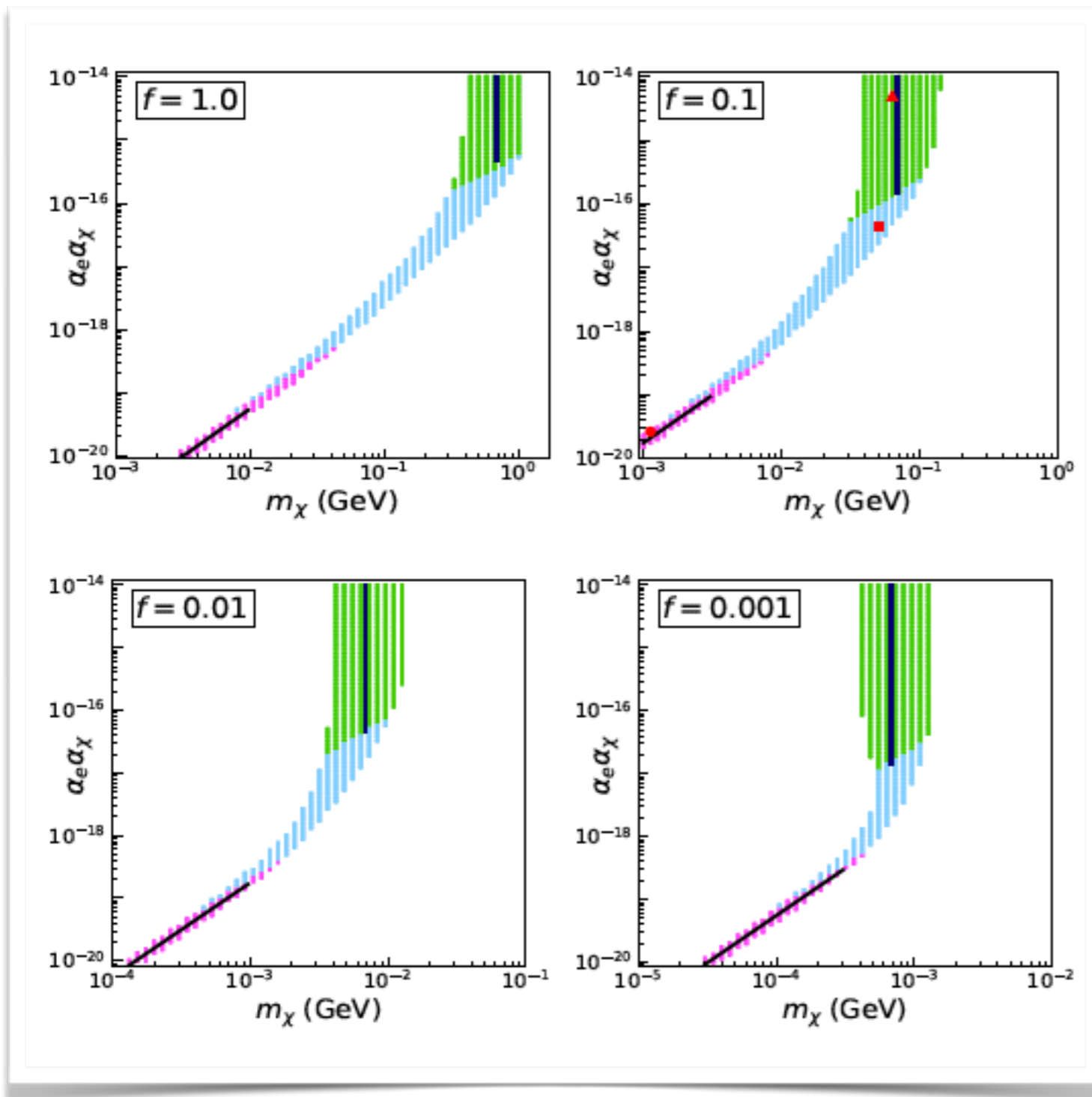
Energy transfer rate

$$\frac{dT_\chi}{d \log(1+z)} = +2T_\chi - \frac{2\Gamma_\chi}{3H} (T_K - T_\chi),$$
$$\frac{dT_K}{d \log(1+z)} = +2T_K - \frac{\Gamma_c}{H} (T_{\text{CMB}} - T_K) - \frac{2\Gamma_H}{3H} (T_\chi - T_K).$$

$$\Gamma_\chi \simeq n_H \left(\frac{\Delta\mu}{2MT_{\text{eff}}} \right) 12\pi \frac{\alpha_\chi \alpha_e}{\Delta^2} \sqrt{\frac{8T_{\text{eff}}}{\pi\mu}}.$$

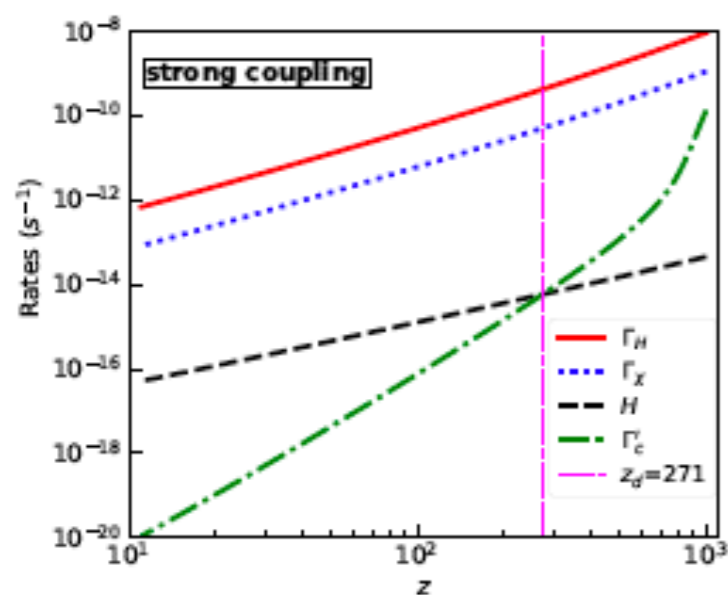
$$\Gamma_H = n_\chi \left(\frac{\Delta\mu}{2MT_{\text{eff}}} \right) \frac{3}{4\pi} \frac{g_\chi^2 g_e^2}{\Delta^2} \sqrt{\frac{8T_{\text{eff}}}{\pi\mu}}$$

Parameter Space of Interest

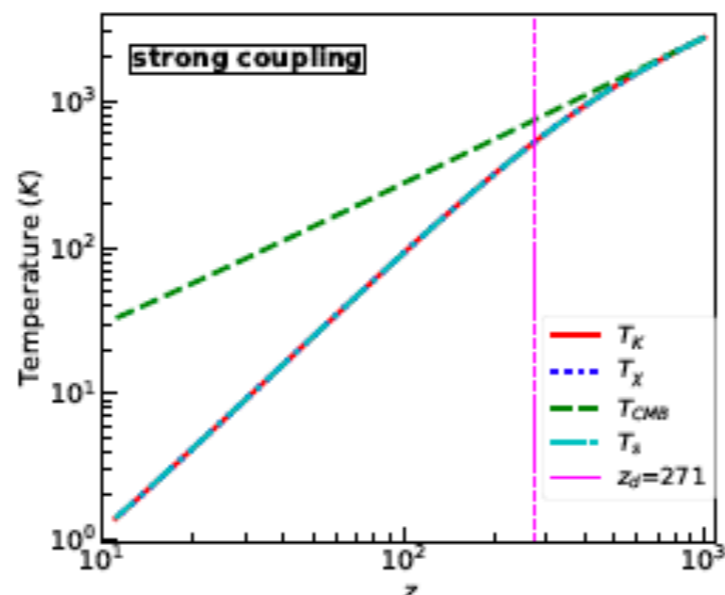


- Strong broadband absorption signal with $T_{\text{eff}} \ll T_{\text{cmb}}$, and $x_D \gg 1$
- Benchmark parameter space giving rise to value of $\delta T_b(z = 17) = -500 \text{ mK}$

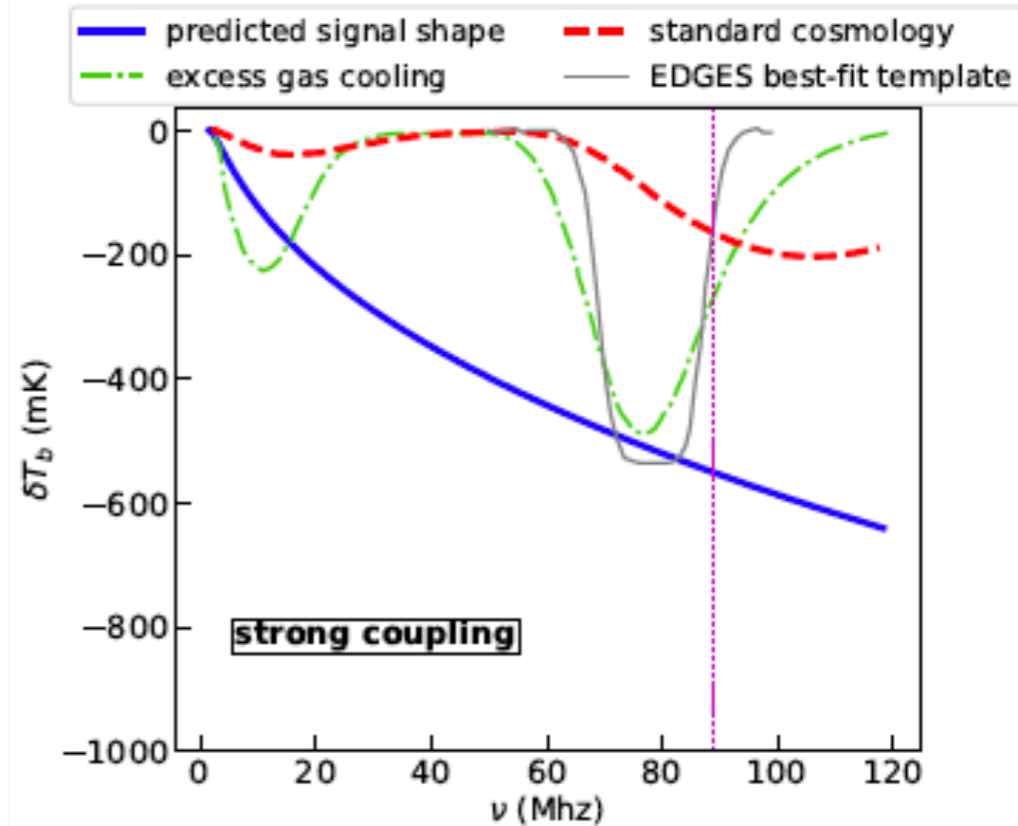
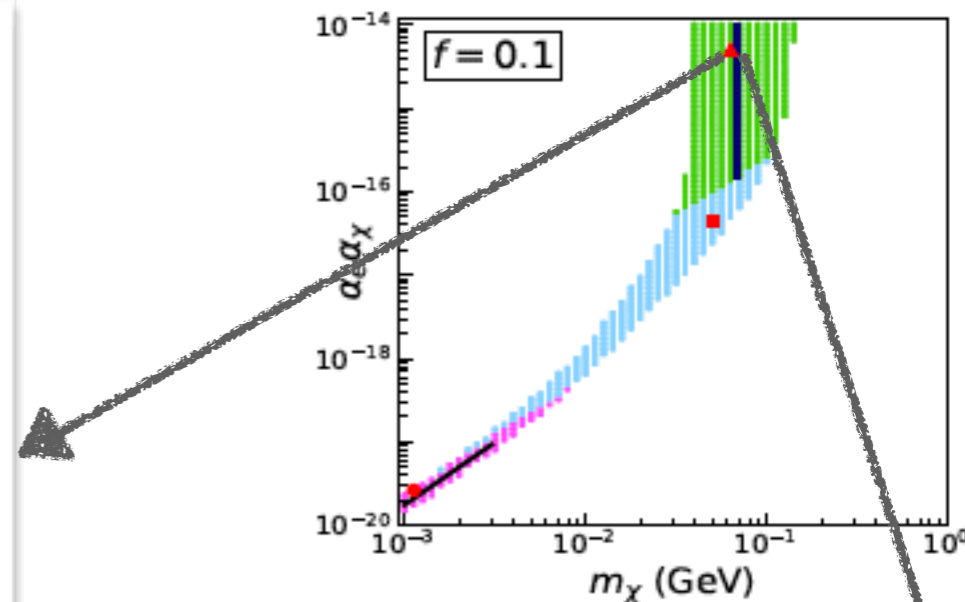
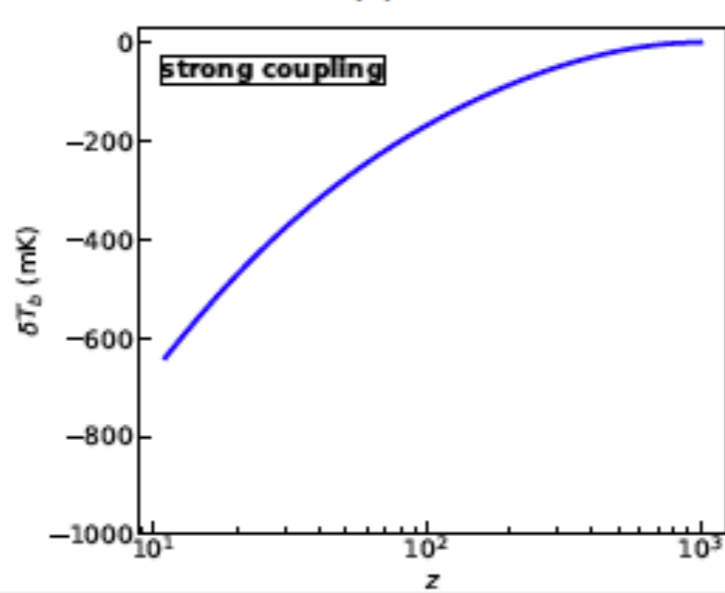
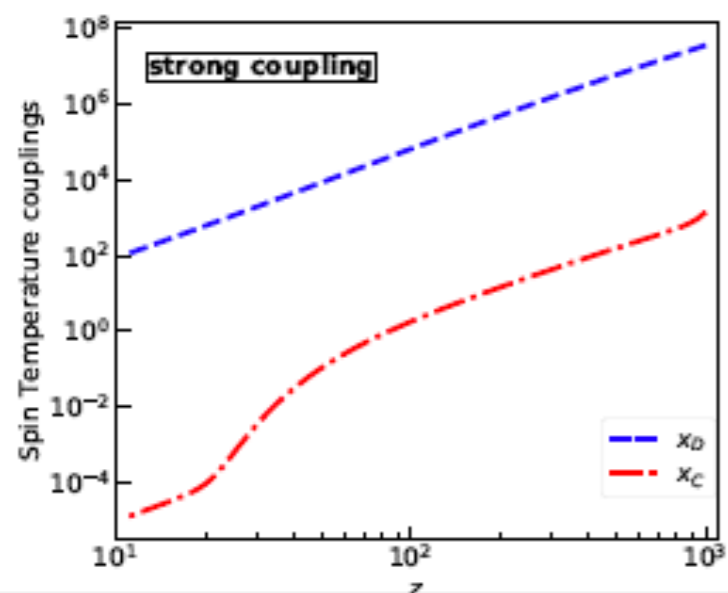
Strong coupling Benchmark



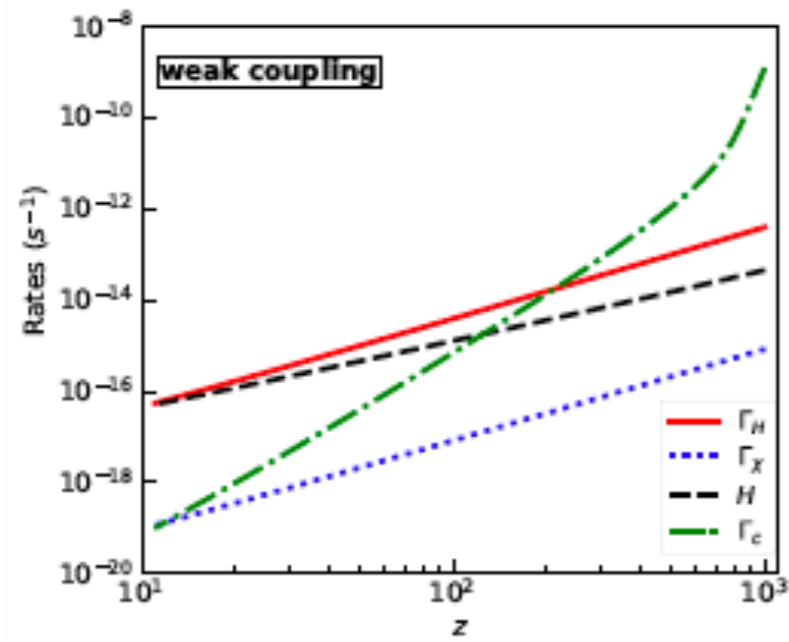
(a)



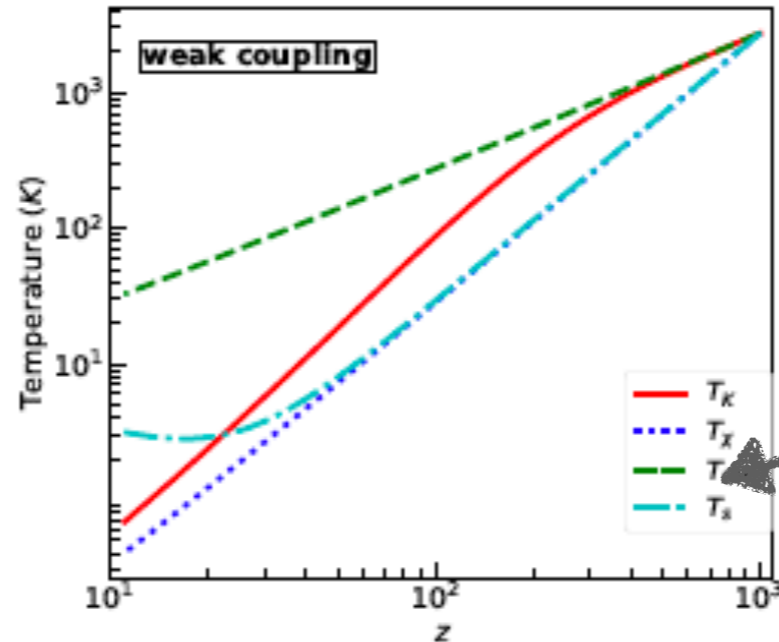
(b)



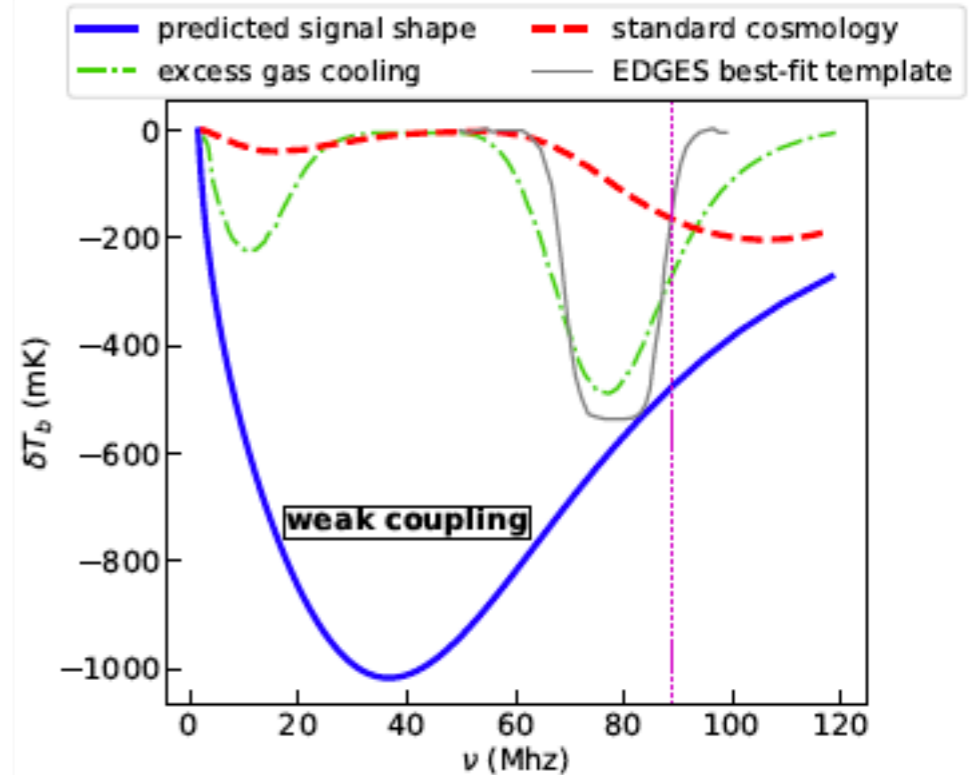
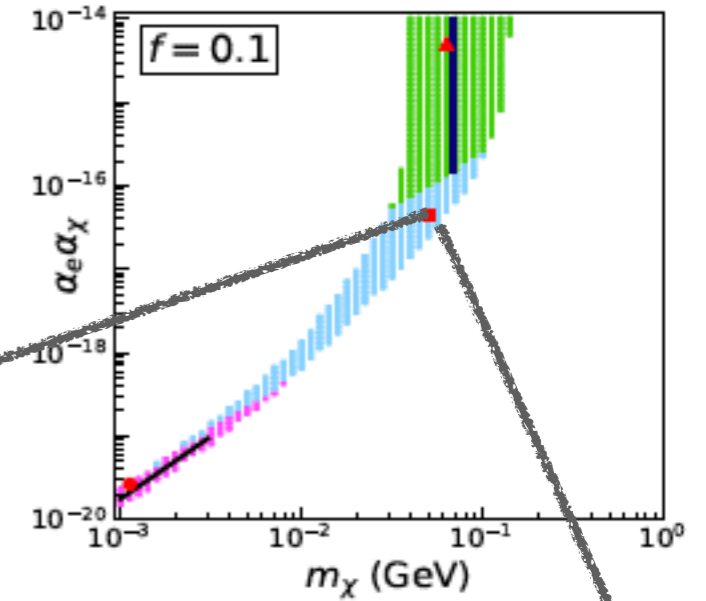
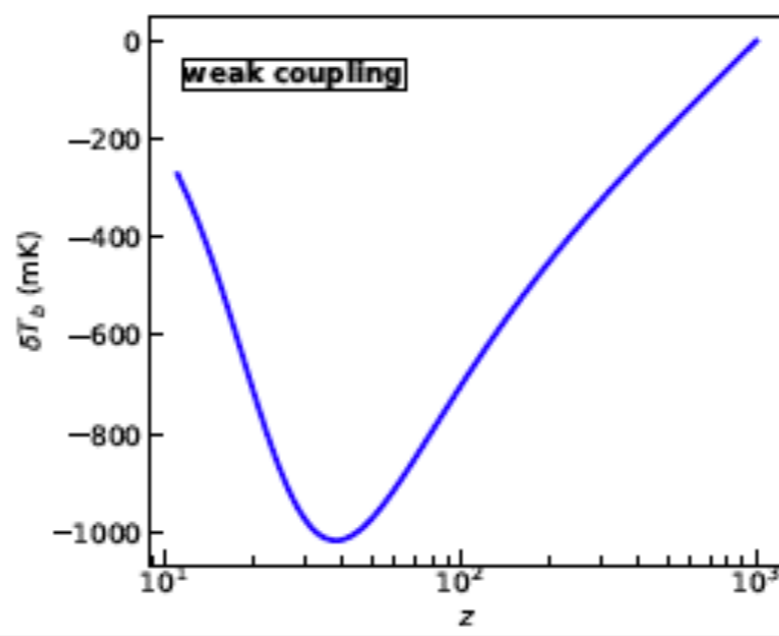
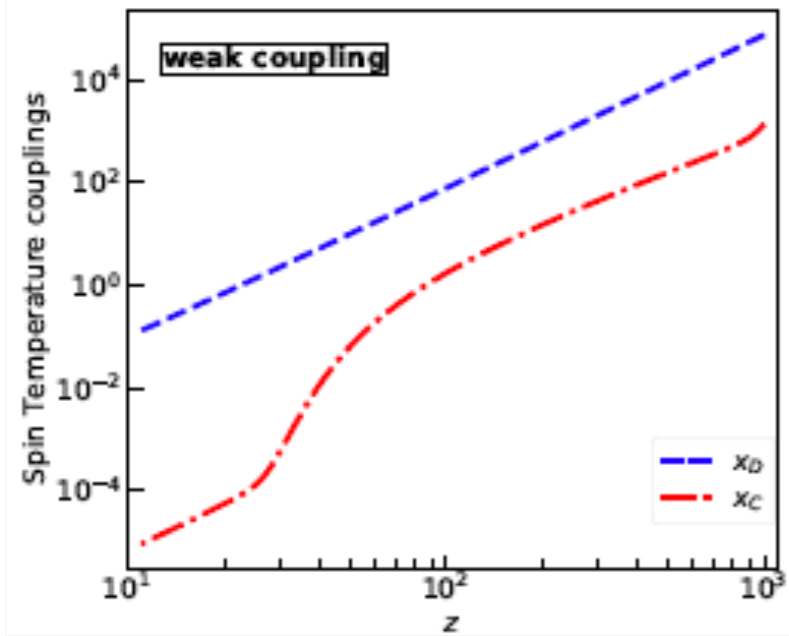
Weak coupling Benchmark



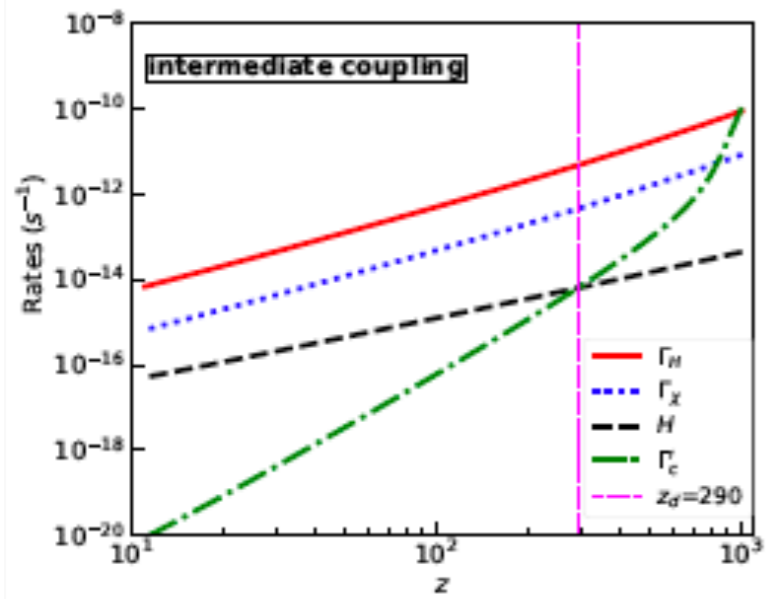
(a)



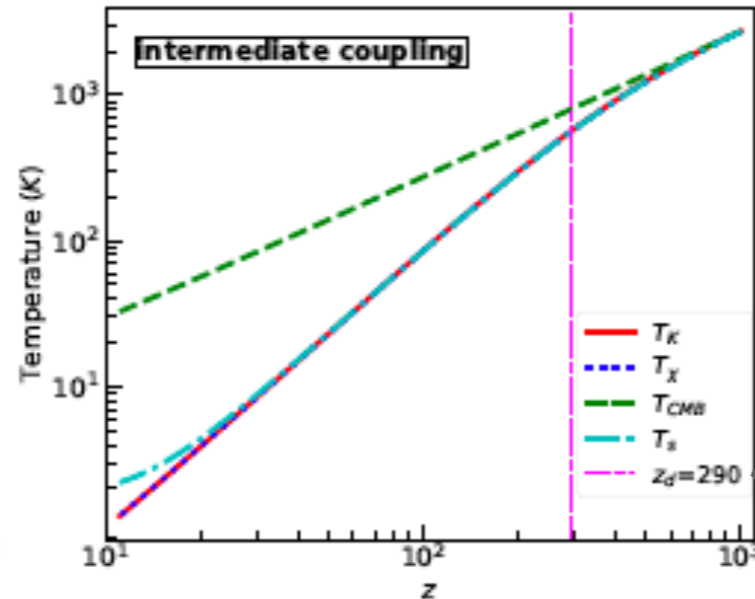
(b)



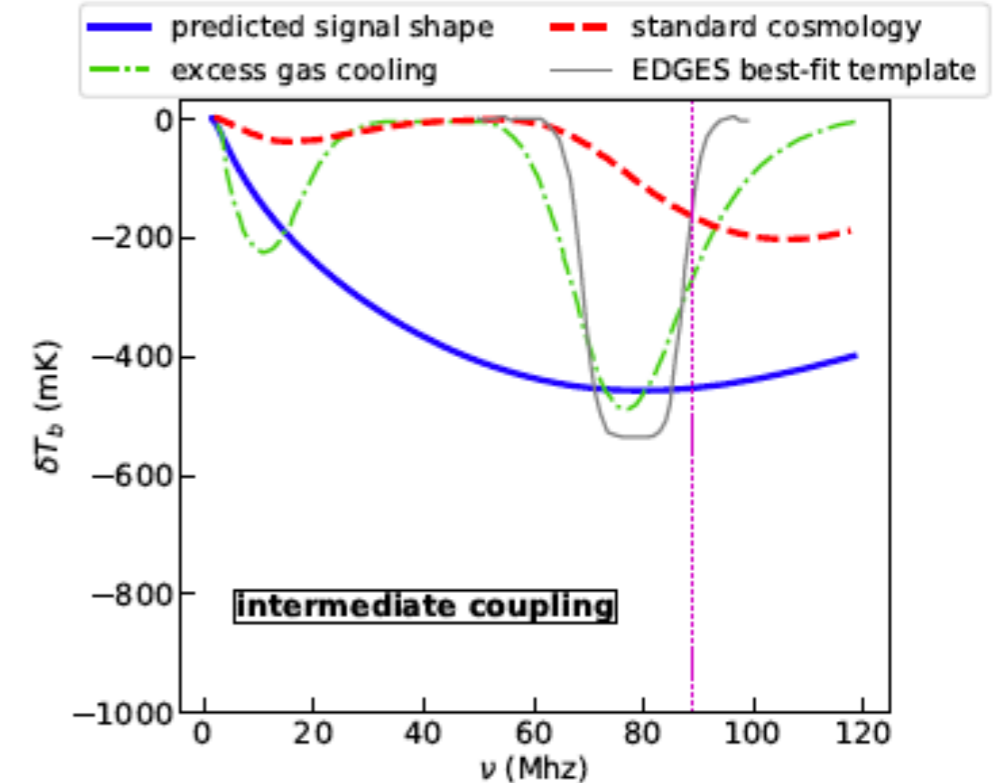
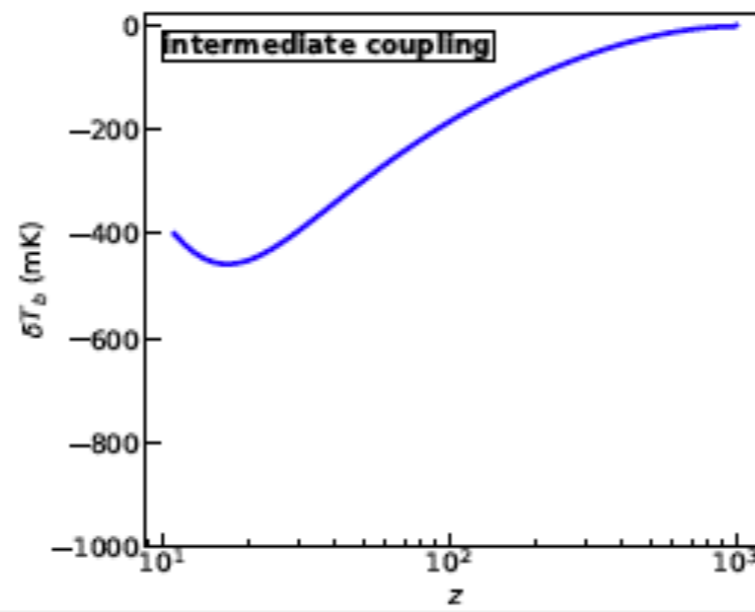
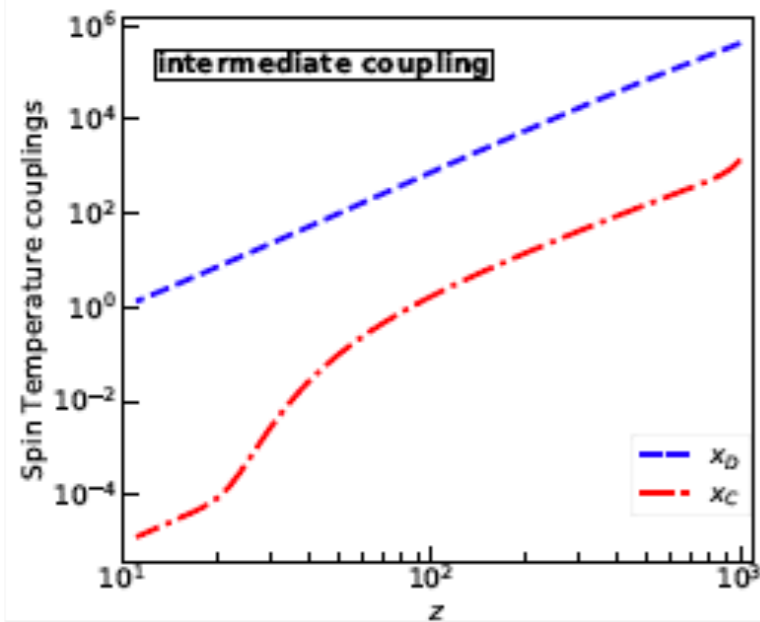
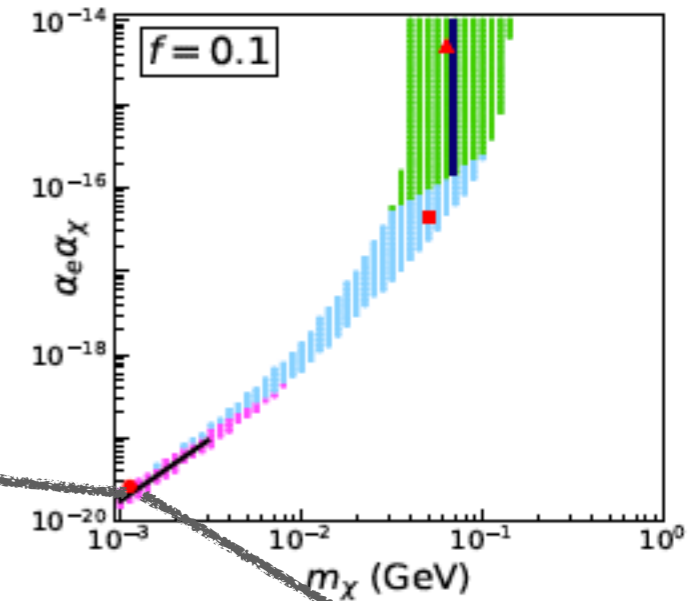
Intermediate coupling regime



(a)



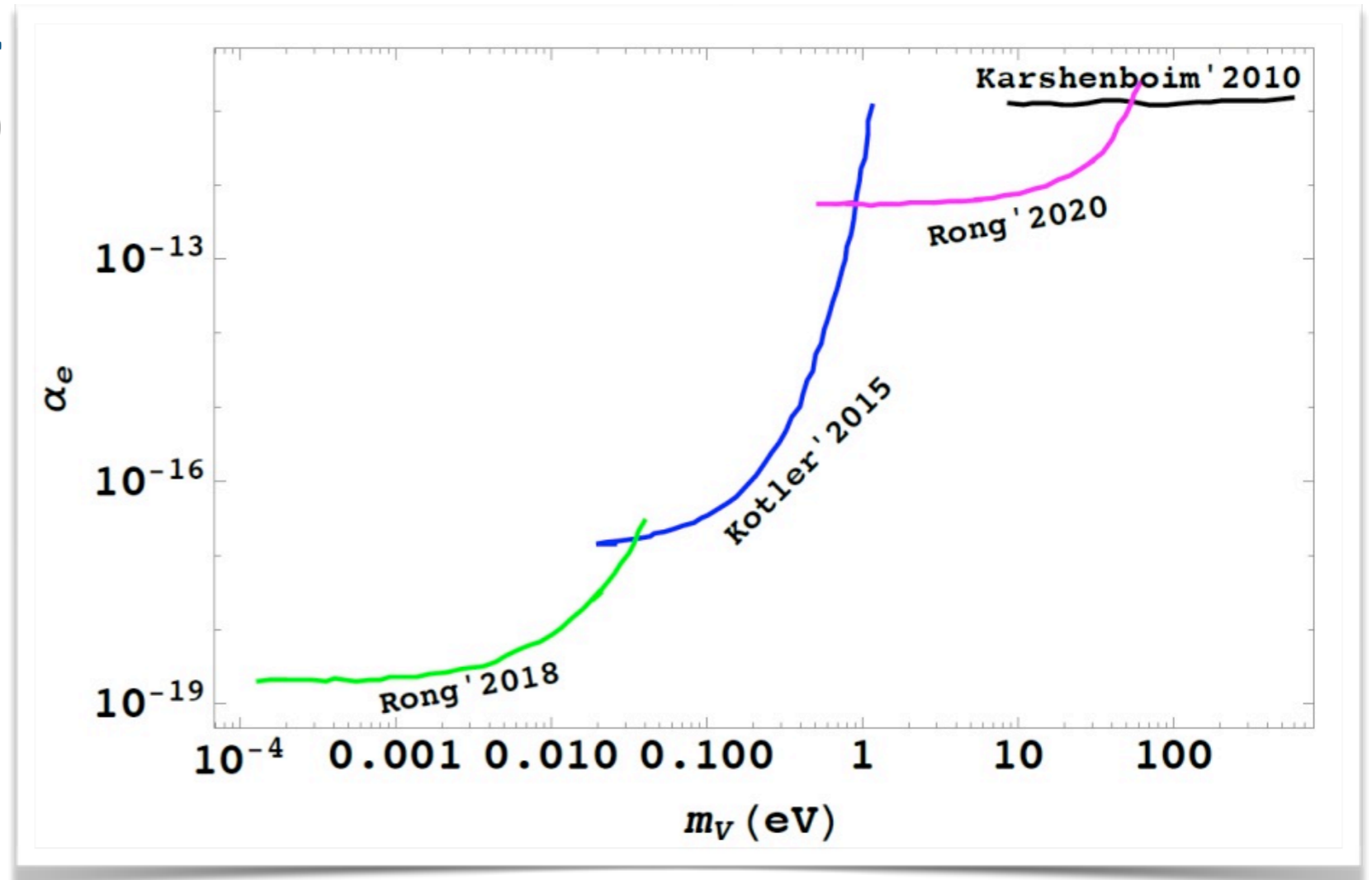
(b)



Constraints

Constraints on light mediator

- ✓ Short range forces (mm-nm scale)
- ✓ Collider searches
- ✓ Stellar cooling
- ✓ Extra-radiation species

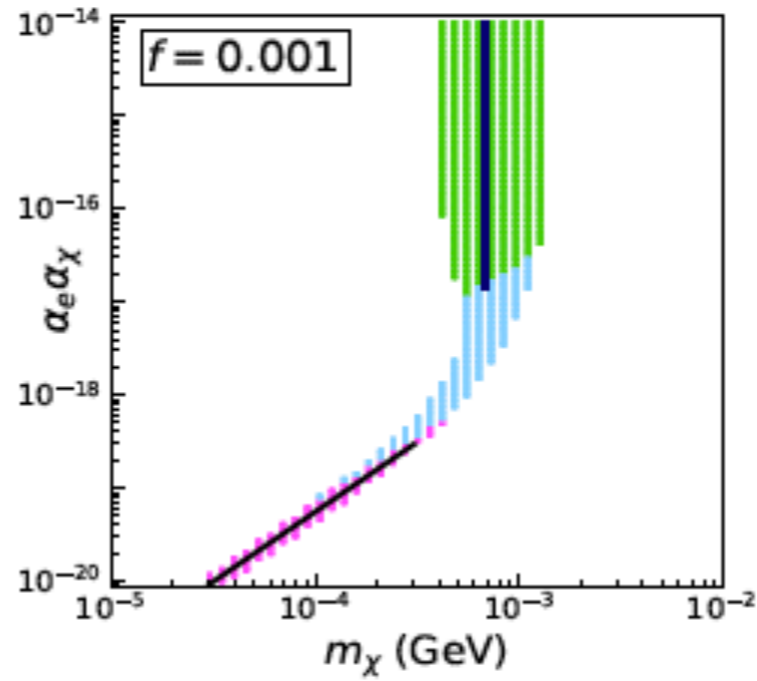
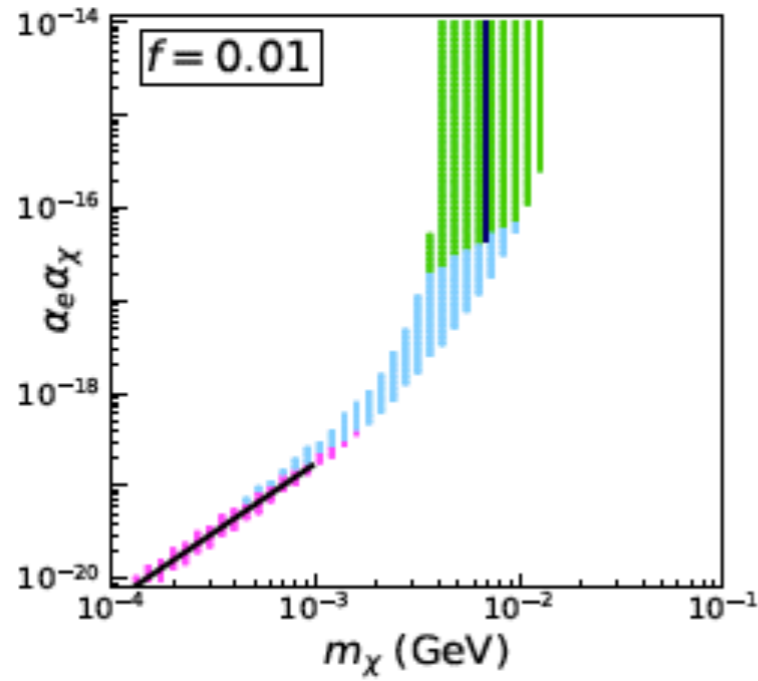
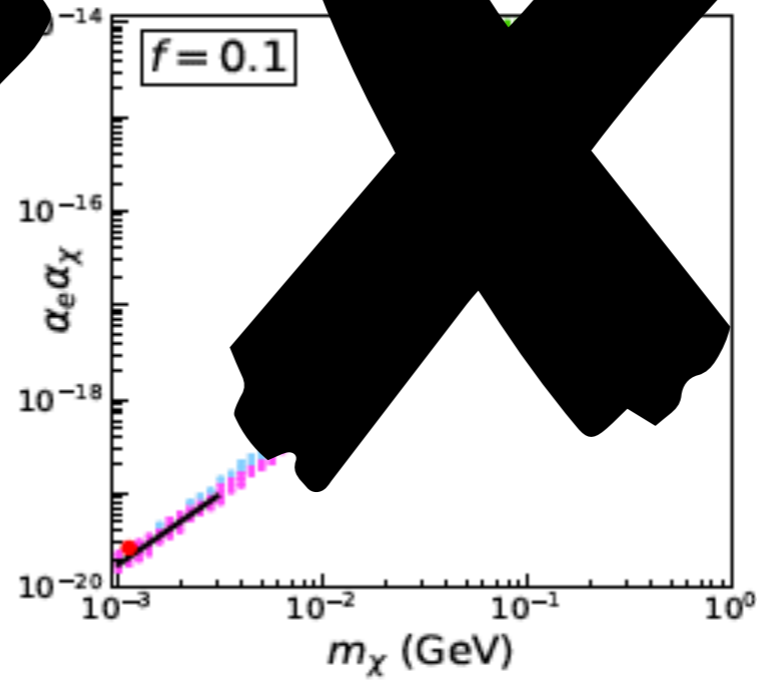
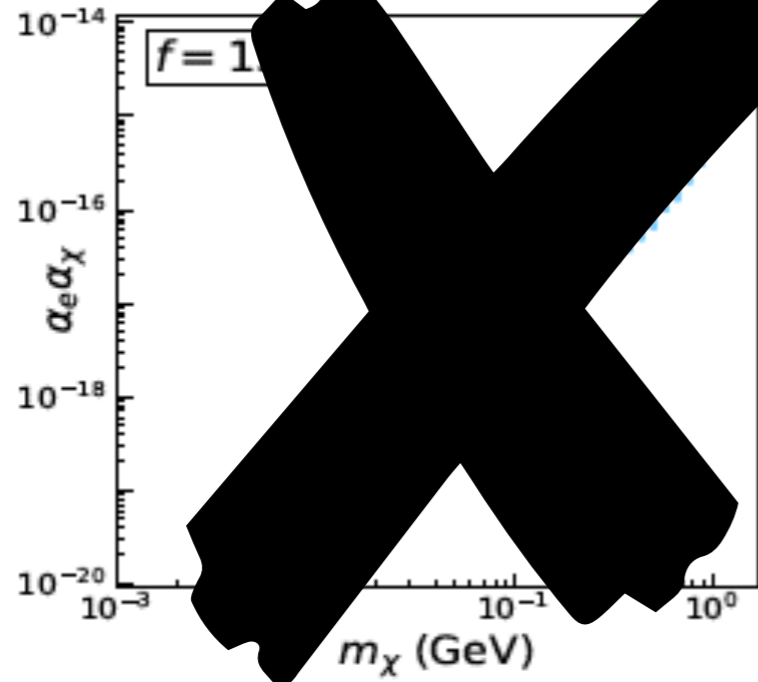


Cosmological constraints

- ✓ Kinetic decoupling
- ✓ Self-interaction
- ✓ Freeze-out

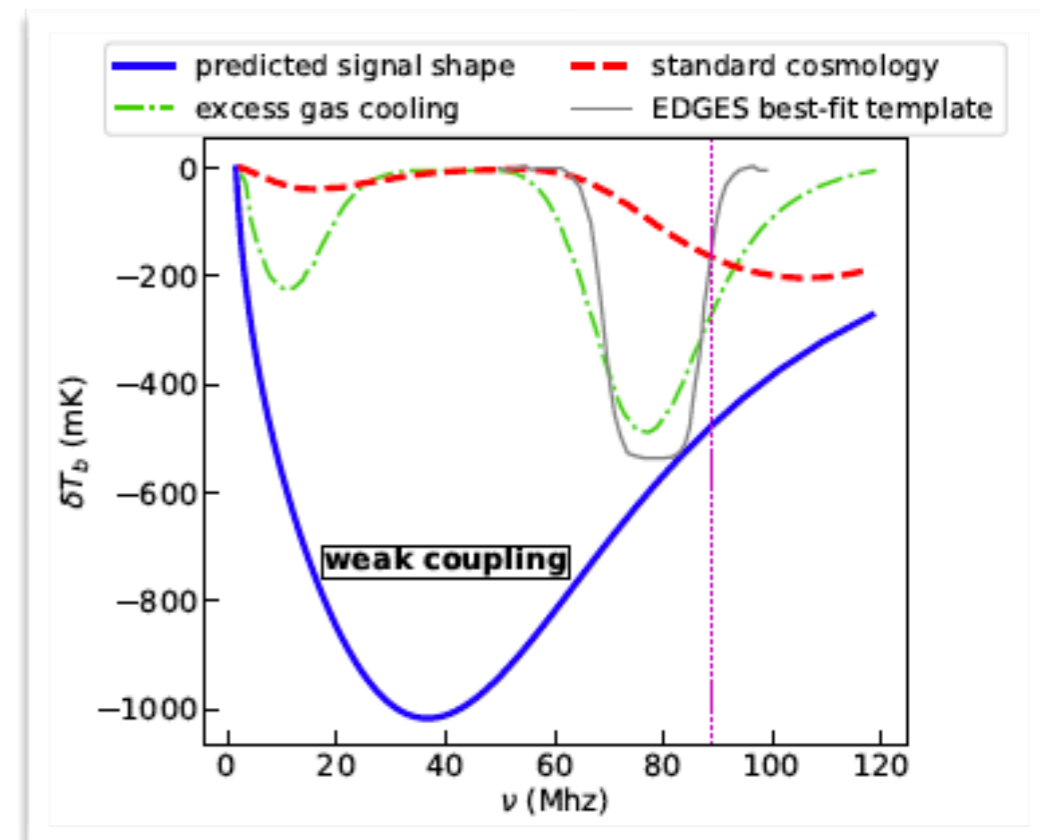
$$0.1 \text{ eV} \sqrt{\frac{\alpha_\chi \alpha_e}{10^{-18}}} \left(\frac{\mu}{0.1 \text{ GeV}} \right) \lesssim m_V \lesssim 2.3 \text{ eV} \sqrt{\left(\frac{1000 \text{ K}}{T_{\text{eff}}} \right)} \left(\frac{\mu}{0.1 \text{ GeV}} \right)$$

Parameter Space ruled out by constraints



Conclusions and testable predictions

- ▶ Single, strong, broadband global 21 cm signal - unlike anything predicted in standard cosmology or excess cooling models!
- ▶ Single broadband absorption feature From 1.4 Mhz ($z \sim 1000$) - \hat{A} 90 Mhz ($z \sim 15$)
- ▶ Spin temperature is a tracer of DM temperature, not the gas temperature.
- ▶ Safe from laboratory and other constraints.



Secondary tests

Astrophysical probes:

- Stochastic 21 cm signal (could be tested by future experiments such as SKA).
- Independent probe of the gas kinetic temperature.

Collider Probes:

- UV completions with broken SM gauge symmetries, in order to evade constraint from Z decays, stellar cooling and extra radiation constraints.
- short-range forces between electrons on mm-nm scale.

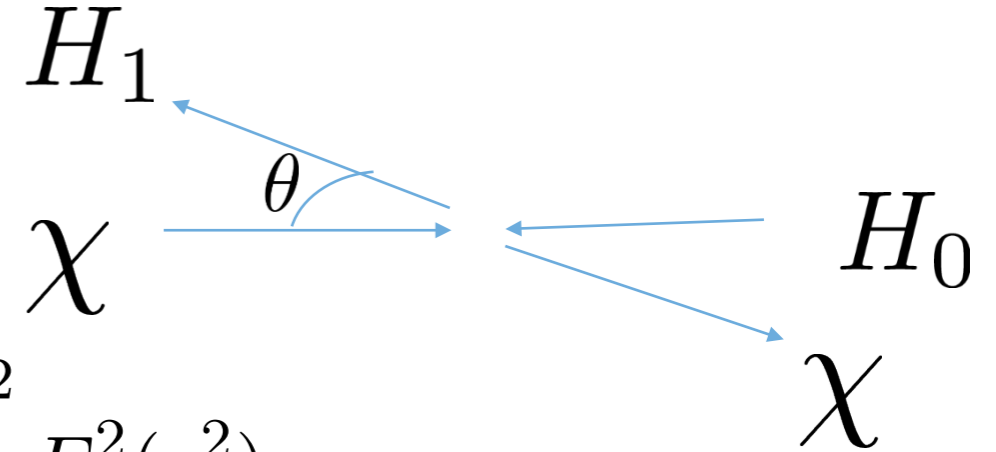
Thanks for your kind attention

Forward Scattering and Spin flip cross-section

In the non-relativistic limit,

$$V(r) = \frac{g_\chi g_e}{r} e^{-m_V r} (\vec{S}_e \cdot \vec{S}_\chi)$$

$$\sigma_{01} v_{\text{rel}} \simeq \frac{3}{2\pi} g_\chi^2 g_e^2 \mu p' \int_{-1}^1 d(\cos \theta) \left(\frac{1}{q^2 - m_V^2} \right)^2 F^2(q^2).$$



$$\mathcal{I} = \int_{-1}^1 d(\cos \theta) \left(\frac{1}{-p^2 - p'^2 - m_V^2 + 2pp' \cos \theta} \right)^2,$$

$$= \frac{2}{(p_{\text{th}}^2 - m_V^2)^2 + 4m_V^2 p^2},$$

For elastic scattering with massless mediator, the cross-section scales as Rutherford scattering

$$\frac{d\sigma}{d\Omega} \propto \frac{\alpha_e \alpha_\chi}{\mu^2 v^4 \sin^4 \frac{\theta}{2}}$$

$$\sigma_{01} \sim \frac{3}{4\pi} \frac{g_\chi^2 g_e^2}{\Delta^2}, \text{ assuming } m_V^2 \ll p_{\text{th}}^4 / p_c^2 \approx \sqrt{\frac{2\mu}{T_{\text{eff}}}} \Delta$$